

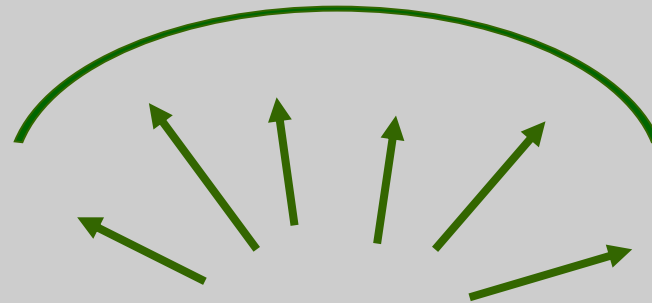
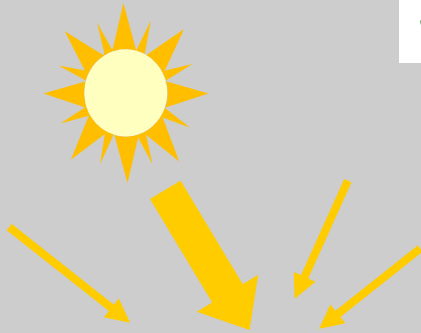
Consistent EO Land Surface Products including Uncertainty Estimates through the Two-stream Inversion Package (TIP)

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M. Vossbeck, T. Kaminski (FastOpt)**

**with contributions
from the GlobAlbedo team**

Two-stream model to distribute the Sun energy between the atmosphere, the vegetation and soil layers

Scattered Fluxes by the Surface



Absorbed Fluxes in Vegetation

Absorbed Fluxes in Background

Two-stream model

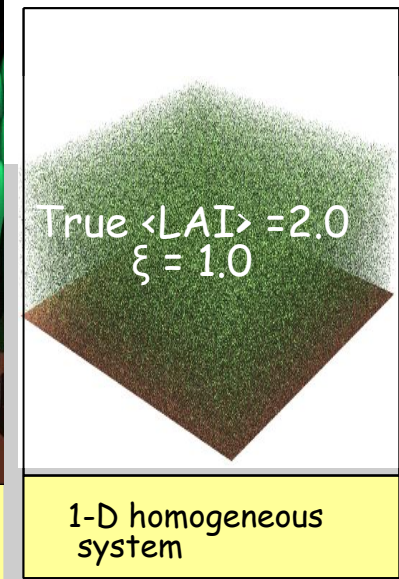
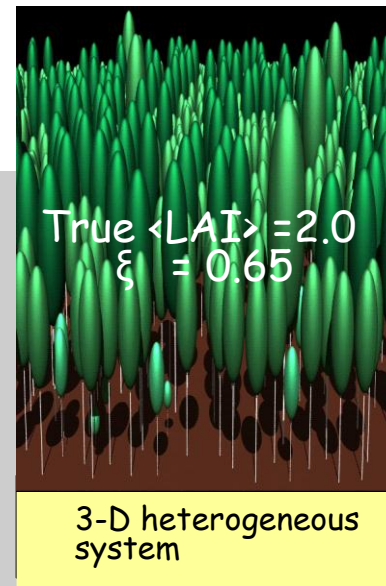
The two-stream (Pinty et al., JGR, 2006) is a model of the radiative transfer in the vegetation canopy-soil system

State of system characterised by 4 variables:

- *Leaf area index* ($LAI = \xi * \langle LAI \rangle$)
(describes density of vegetation)
- w_l is the *vegetation single-scattering albedo* ($w_l = r_l + t_l$)
- d_l is the *vegetation forward-scattering efficiency* ($d_l = r_l / t_l$)
- $r_{bgd,l}$, *background reflectance with or without snow*

All variables and fluxes are domain-averaged values

All 3 vegetation state variables are effective



Formulation of the inverse problem

Typically 2 broadband wavelengths (VIS, NIR)

yields 7 unknowns (parameter) and up to 6 observations:

$$x = \langle \text{LAI}, w_1(\lambda_1), d_1(\lambda_1), r_{\text{bgd}}(\lambda_1), w_1(\lambda_2), d_1(\lambda_2), r_{\text{bgd}}(\lambda_2) \rangle$$

$$d = \langle R(\lambda_1), T(\lambda_1), A(\lambda_1), R(\lambda_2), T(\lambda_2), A(\lambda_2) \rangle$$

Typically only a subset of the radiant fluxes are observed (R)

Task: Retrieval of model parameters x from a given set of observations d

Bayesian approach: Use prior information

covariance of uncertainty
in priors for parameters

priors for model M
parameters

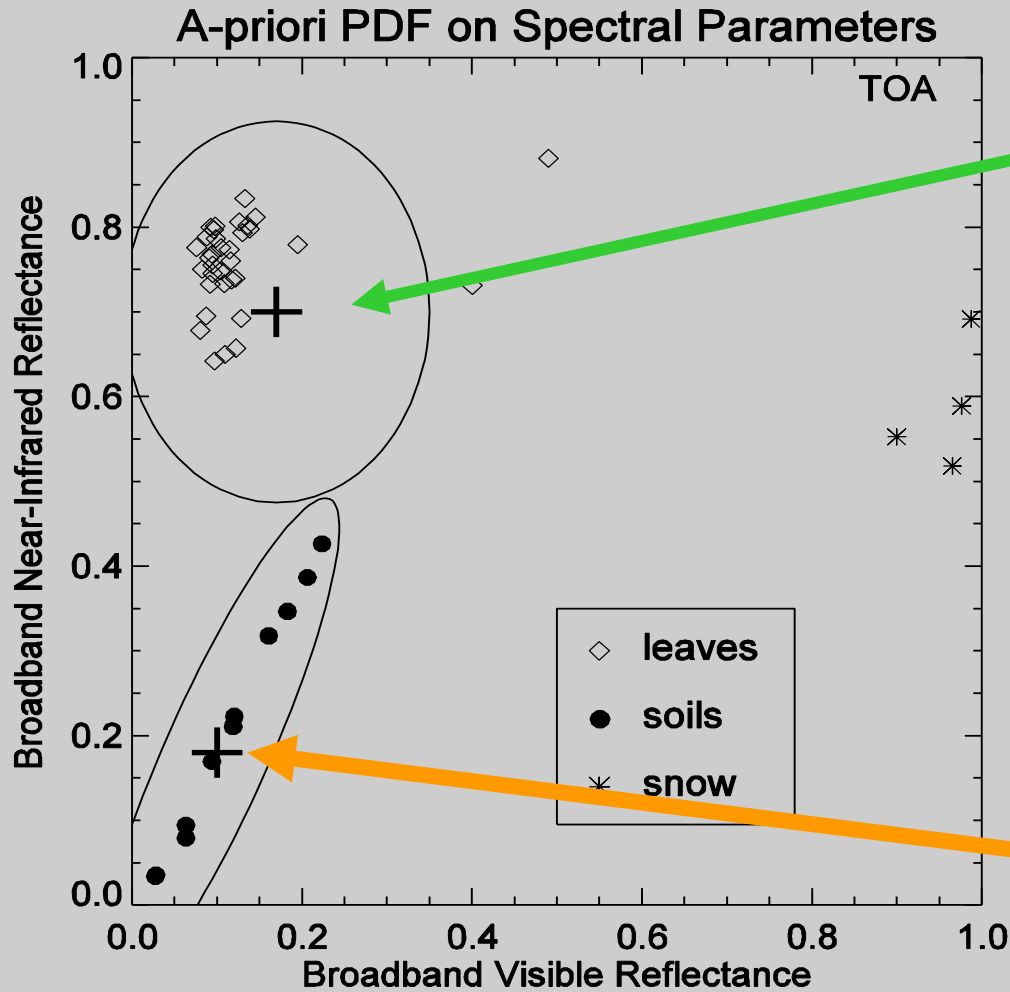
covariance of uncertainty in
measurements + model

two-stream model $M(x)$

observed fluxes

$$J(x) = \frac{1}{2} \left[(x - x_{\text{pr}})^T C_{\text{pr}}^{-1} (x - x_{\text{pr}}) + (M(x) - d)^T C_d^{-1} (M(x) - d) \right]$$

Prior knowledge on model parameters (snow free)

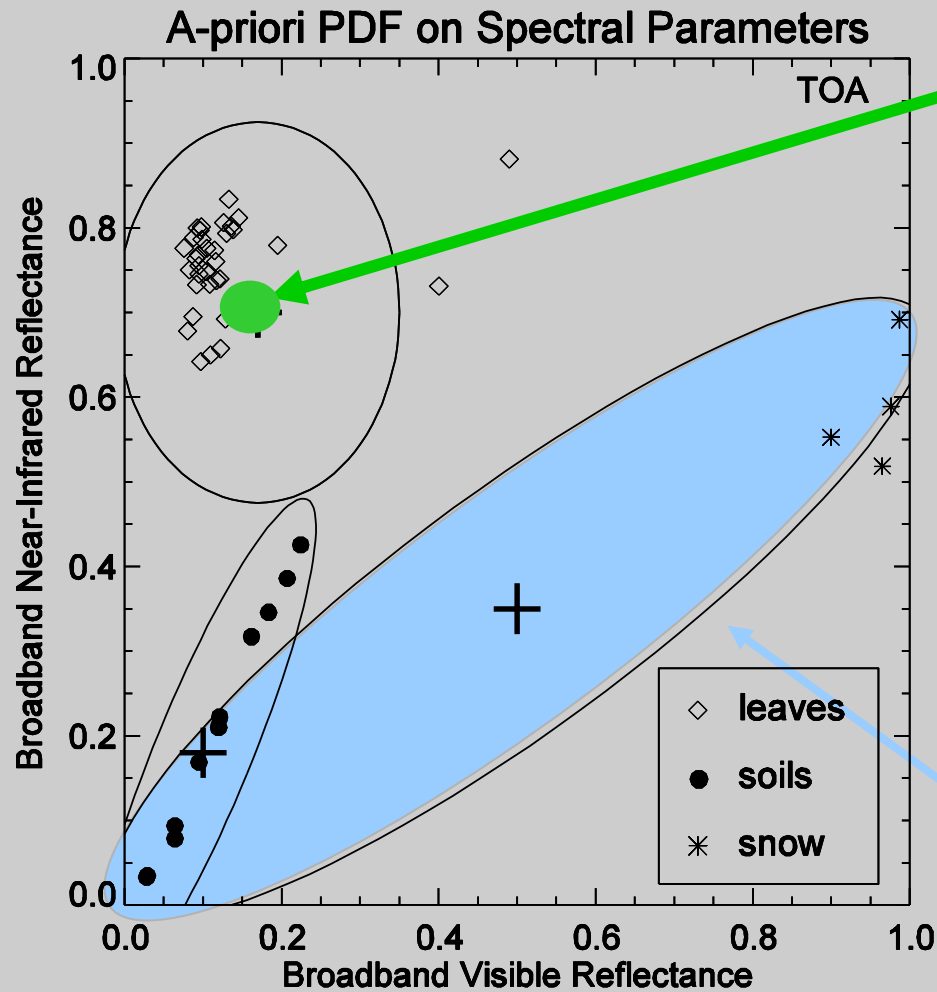


$$LAI_{prior} = 1.5$$

$$\sigma_{prior}(LAI) = 50$$



Prior knowledge on model parameters (with snow)



with 'green' leaves

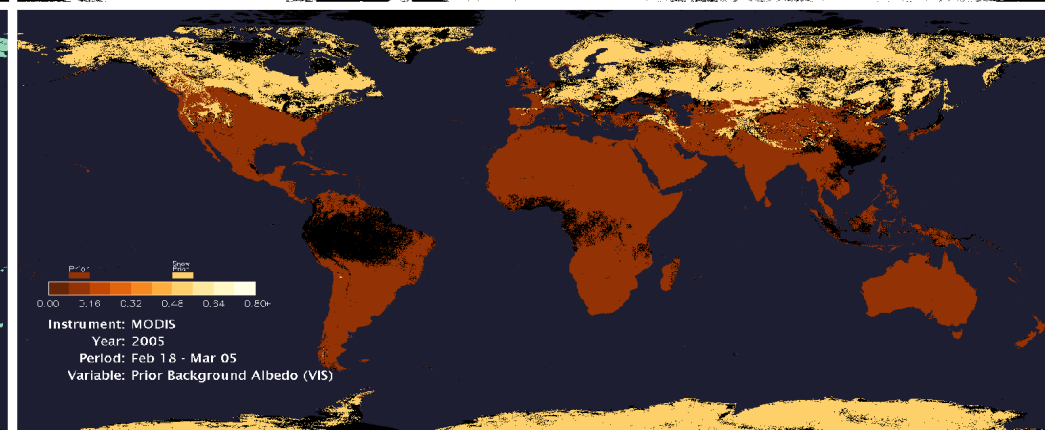
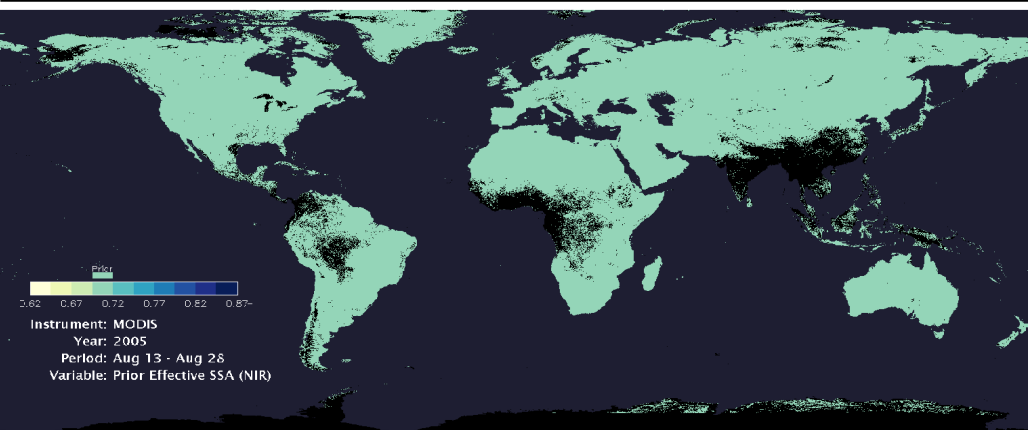
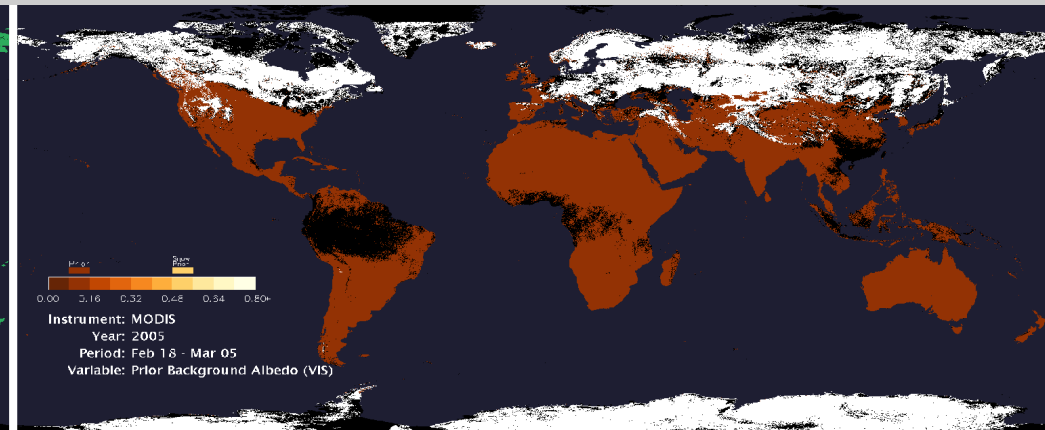
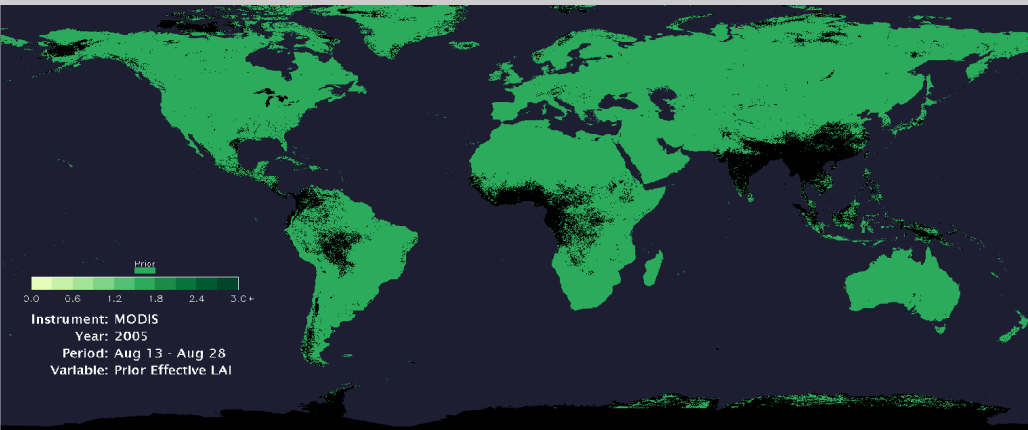
$$LAI_{prior} = 1.5$$

$$\sigma_{prior}(LAI) = 5.0$$

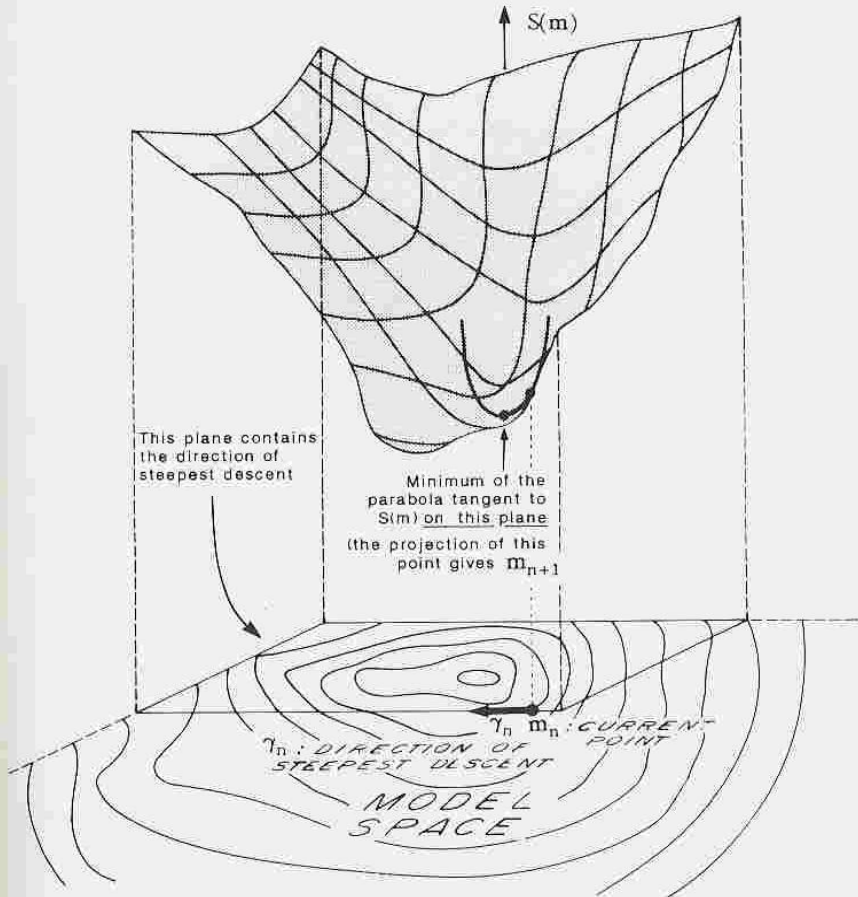
in case snow occurs

Prior knowledge on model parameters

TIME and SPACE INVARIANT



Technical Solution to the inverse problem



- Iterative minimisation of $J(\mathbf{x})$

$$J(\mathbf{x}) = \frac{1}{2} [(\mathbf{x} - \mathbf{x}_{pr})^T \mathbf{C}_{pr}^{-1} (\mathbf{x} - \mathbf{x}_{pr}) + (\mathbf{M}(\mathbf{x}) - \mathbf{d})^T \mathbf{C}_d^{-1} (\mathbf{M}(\mathbf{x}) - \mathbf{d})]$$

- Uses gradient of J with respect to parameters
- Second derivatives (Hessian) at minimum \mathbf{x}_{po} provide approximation of parameter uncertainties (error bars)

$$\mathbf{C}_{po}^{-1} = \partial^2 J(\mathbf{x}_{po}) / \partial \mathbf{x}^2$$

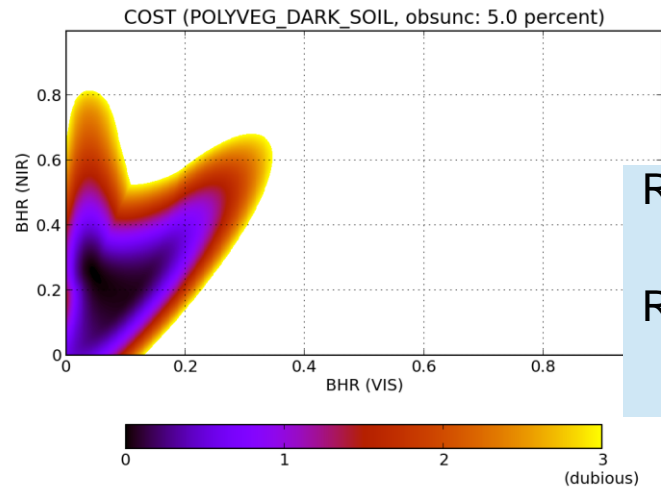
- Uncertainties on simulated fluxes (e.g. FAPAR) via linearisation of model (Jacobian matrix)

$$\mathbf{C}_{FAPAR} = \partial \mathbf{M} / \partial \mathbf{x} \mathbf{C}_{po} \partial \mathbf{M} / \partial \mathbf{x}^T$$

- All derivatives provided via automatic differentiation of model code (TAC++), see Vossbeck et al. (2008)
- Figure taken from Tarantola (1987)

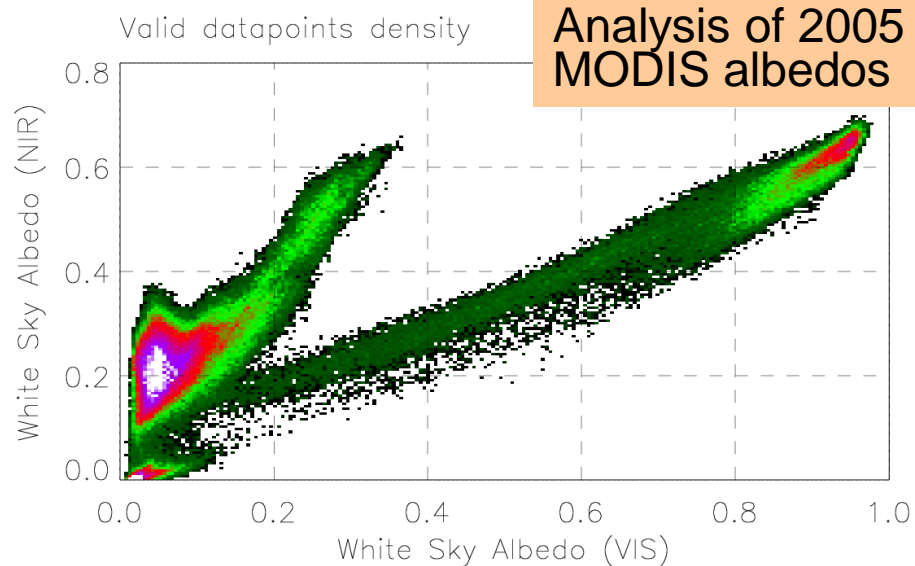
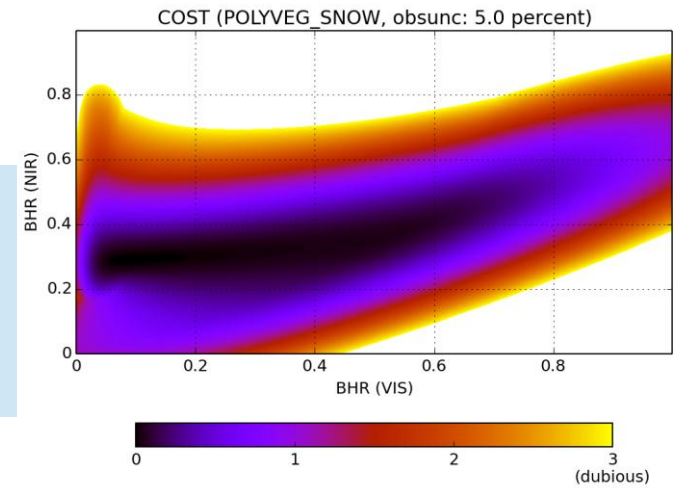
TIP Tables: Robustness and Speed

TIP table

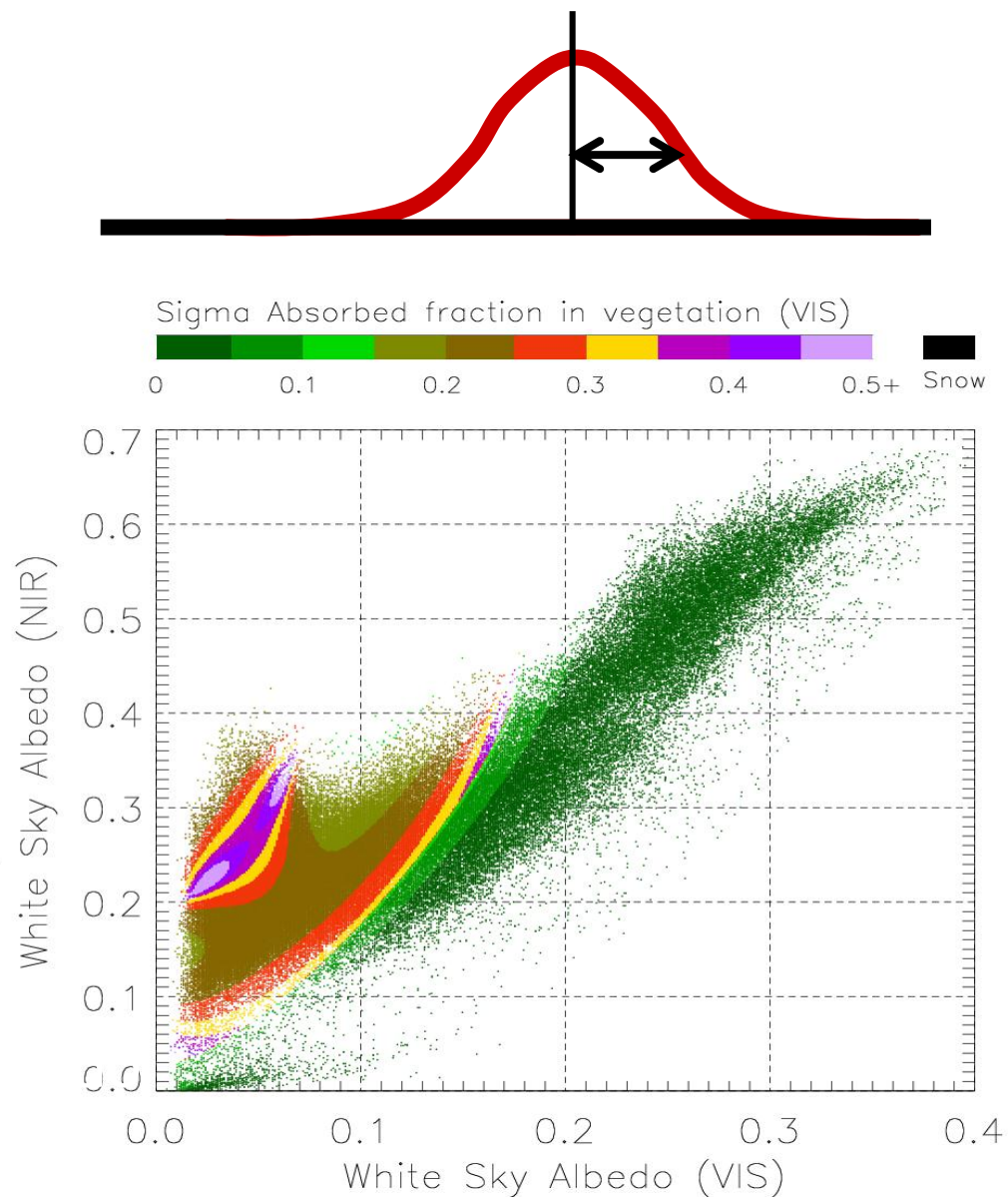
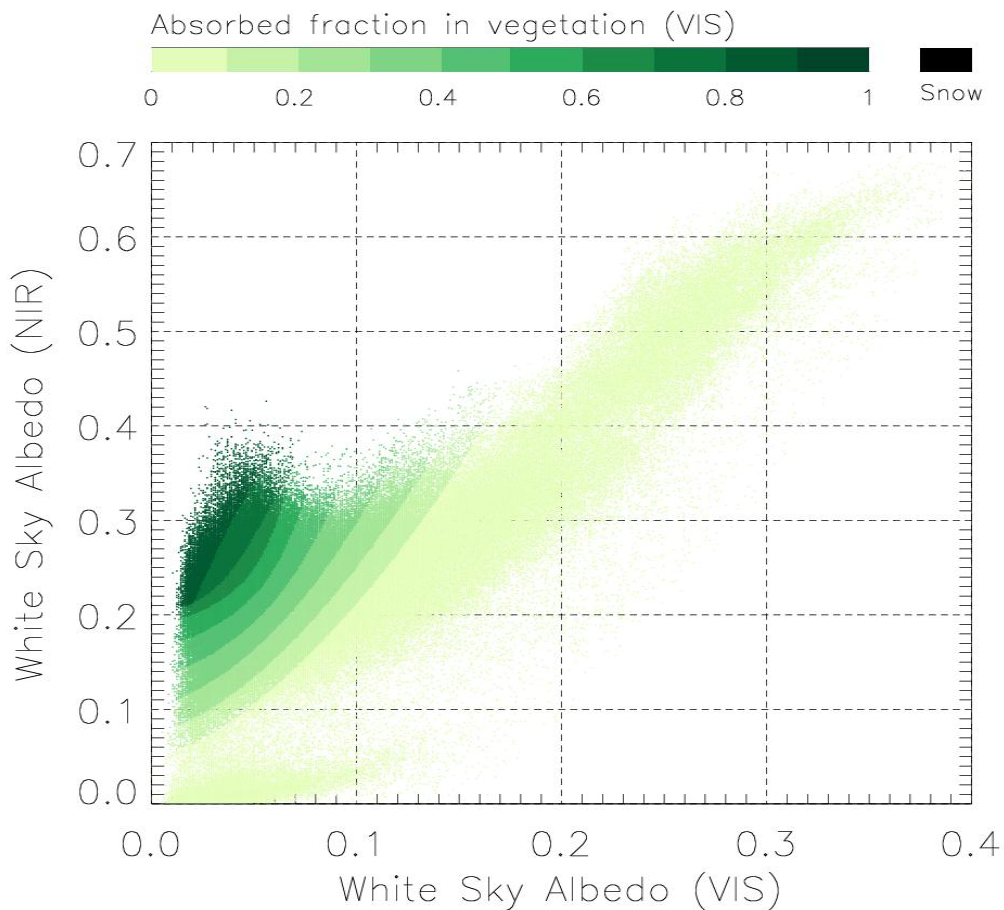


Retrieval is **dubious** :=
finalcost > 3

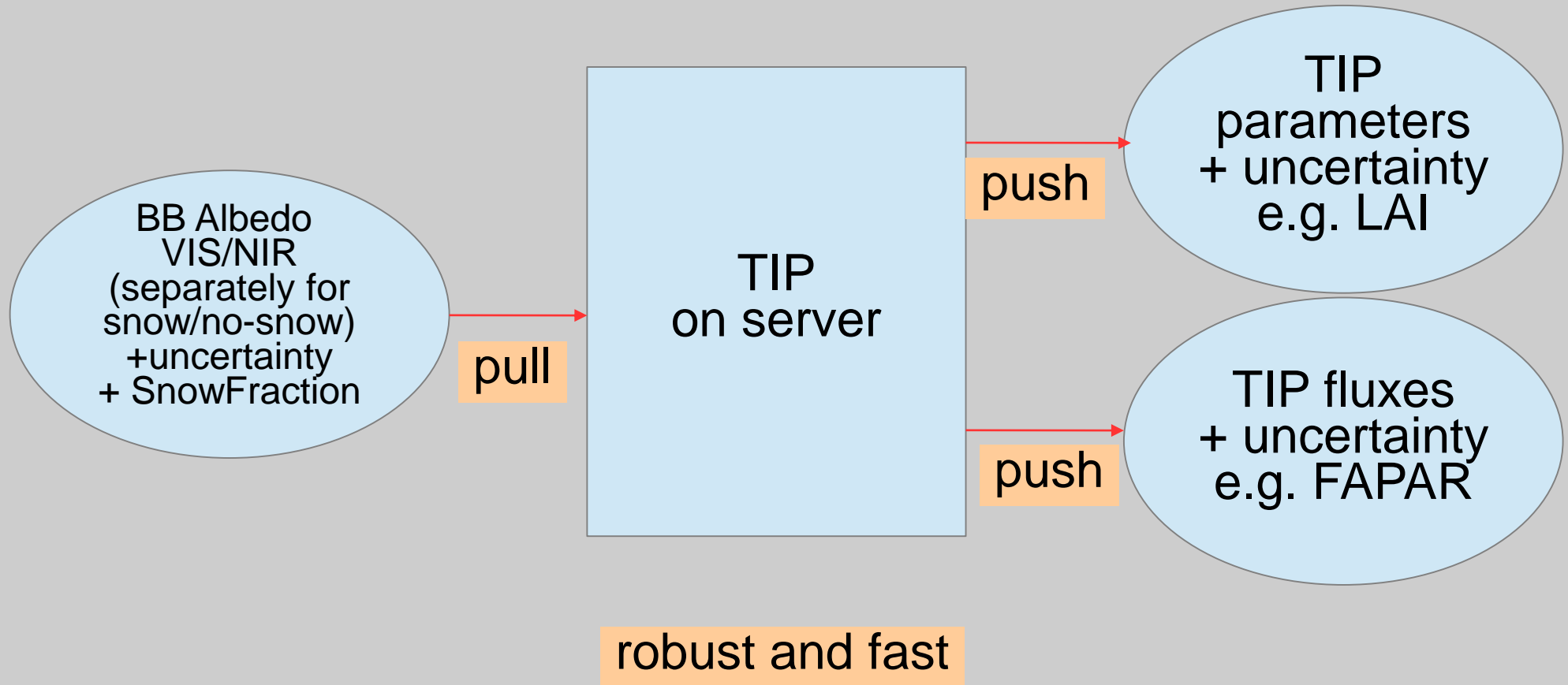
Retrieval is **trusted** :=<=>
not dubious and
within physical bounds



PDFs of retrieved FAPAR (absorption by vegetation in the VIS)



Two-stream Inversion Package (TIP) processing chain for GlobAlbedo

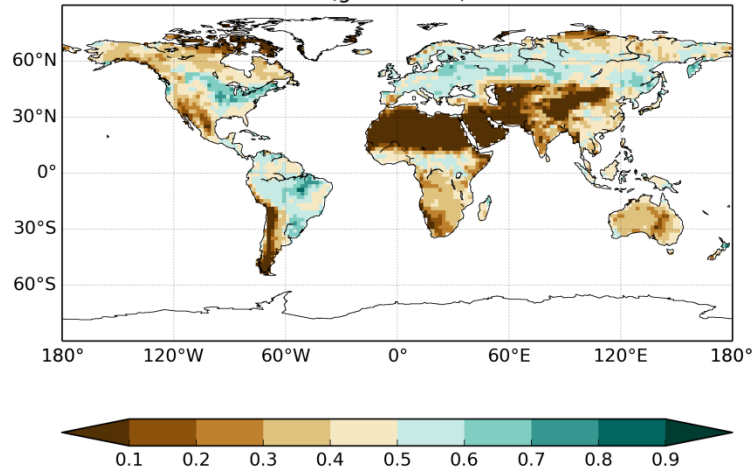


Processing

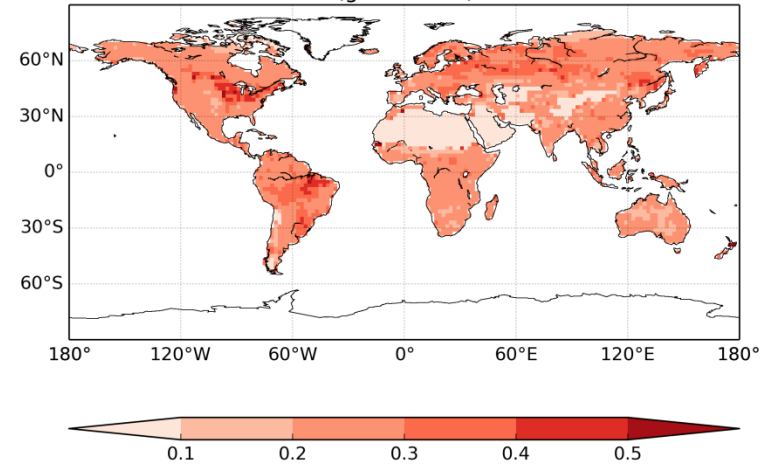
- 2002 - 2011
- globally
- 1km native resolution
- processing of aggregated albedos on 5, 25 km, and coarser grids
- exploiting albedo uncertainty information (currently within large bins)
- TIP-retrievals are derived as weighted mean according to snow fraction from distinct retrievals for snow/nosnow albedo conditions (for each pixel / grid-cell)

Global results: FAPAR

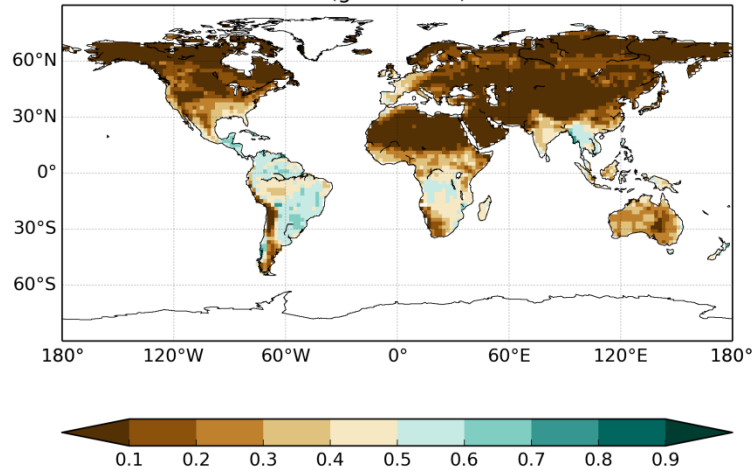
TIP-GlobAlbedo: FAPAR (2005-07-04_2005-07-12)
(grid: HIRES)



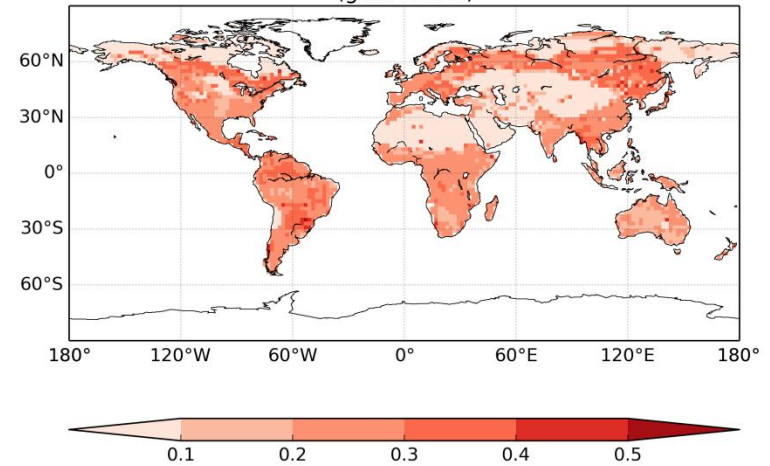
TIP-GlobAlbedo: Sigma_FAPAR (2005-07-04_2005-07-12)
(grid: HIRES)



TIP-GlobAlbedo: FAPAR (2005-12-27_2005-12-31)
(grid: HIRES)

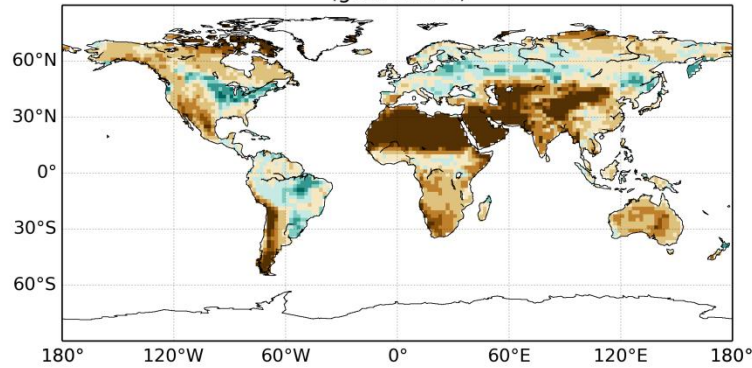


TIP-GlobAlbedo: Sigma_FAPAR (2005-12-27_2005-12-31)
(grid: HIRES)

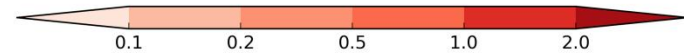
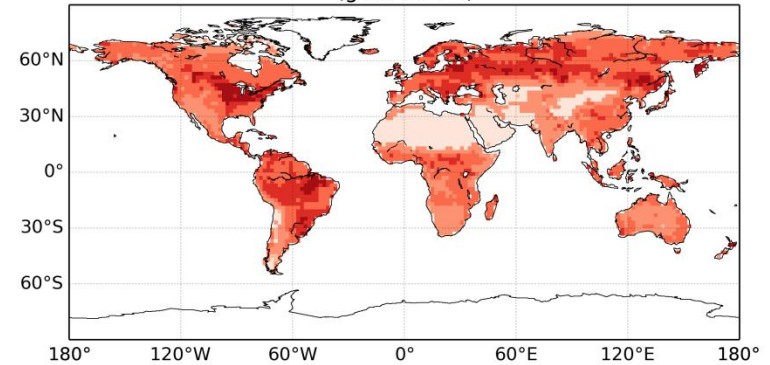


Global results: effective LAI

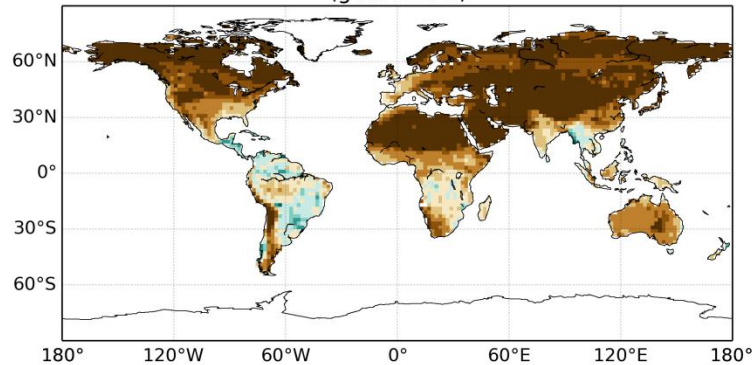
TIP-GlobAlbedo: Effective LAI (2005-07-04_2005-07-12)
(grid: HIRES)



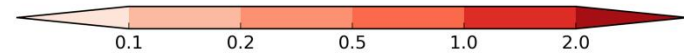
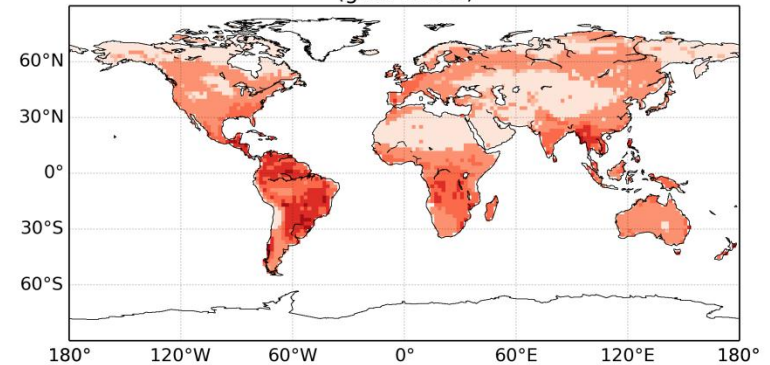
TIP-GlobAlbedo: Sigma(Effective LAI) (2005-07-04_2005-07-12)
(grid: HIRES)



TIP-GlobAlbedo: Effective LAI (2005-12-27_2005-12-31)
(grid: HIRES)

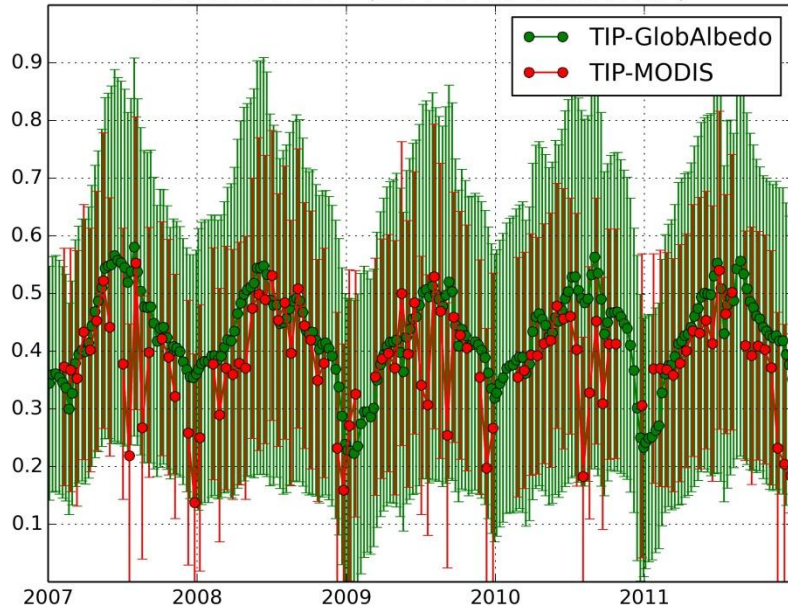


TIP-GlobAlbedo: Sigma(Effective LAI) (2005-12-27_2005-12-31)
(grid: HIRES)



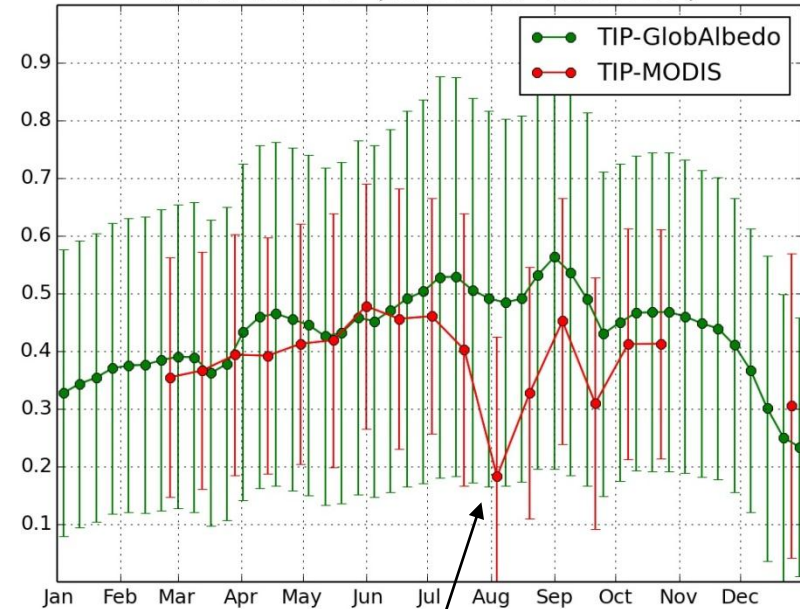
TIP-FAPAR@Loobos (NL)

FAPAR at NL-Loo (2007-01-01 - 2011-12-31)



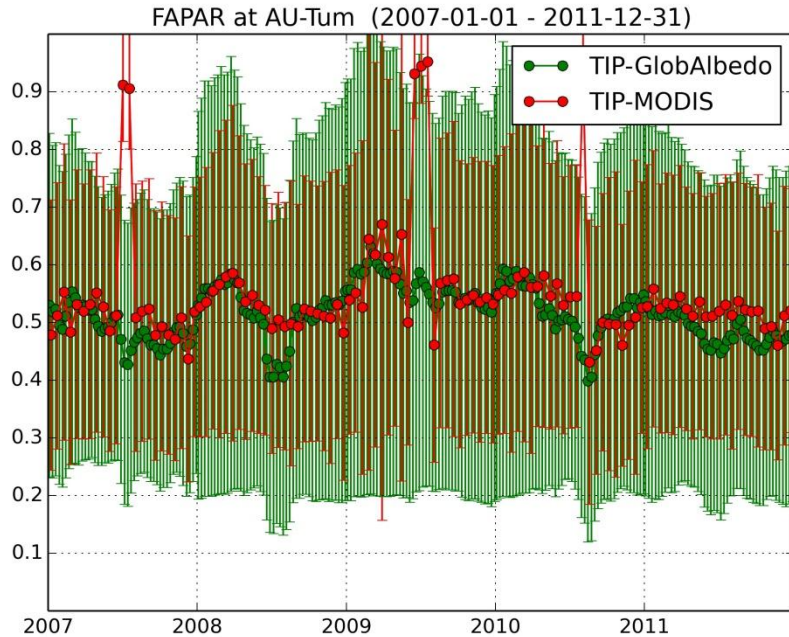
TIP-MODIS: $\bar{\phi}=0.384$ $\sigma=0.087$
TIP-GA : $\bar{\phi}=0.429$ $\sigma=0.076$

FAPAR at NL-Loo (2010-01-01 - 2010-12-31)

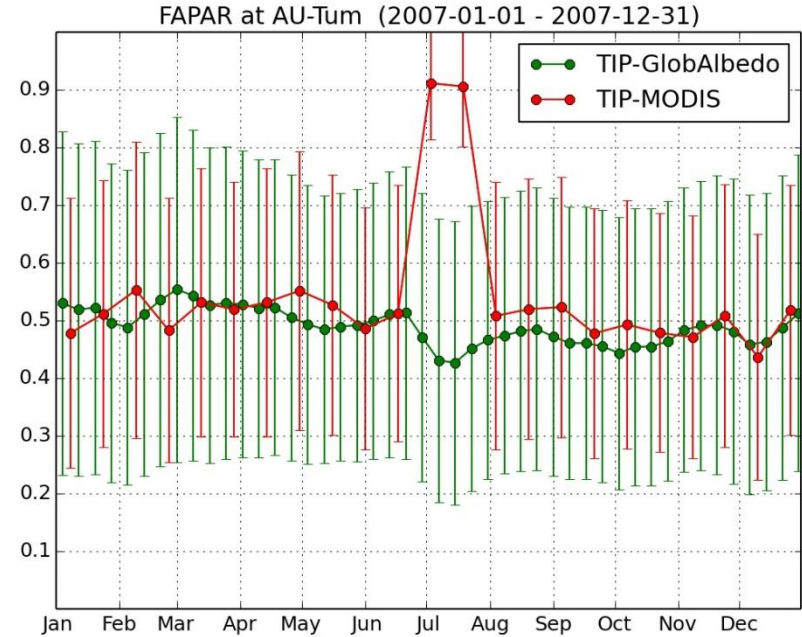


probably due to cloud-cover!

TIP-FAPAR@Tumbarumba (Australia)

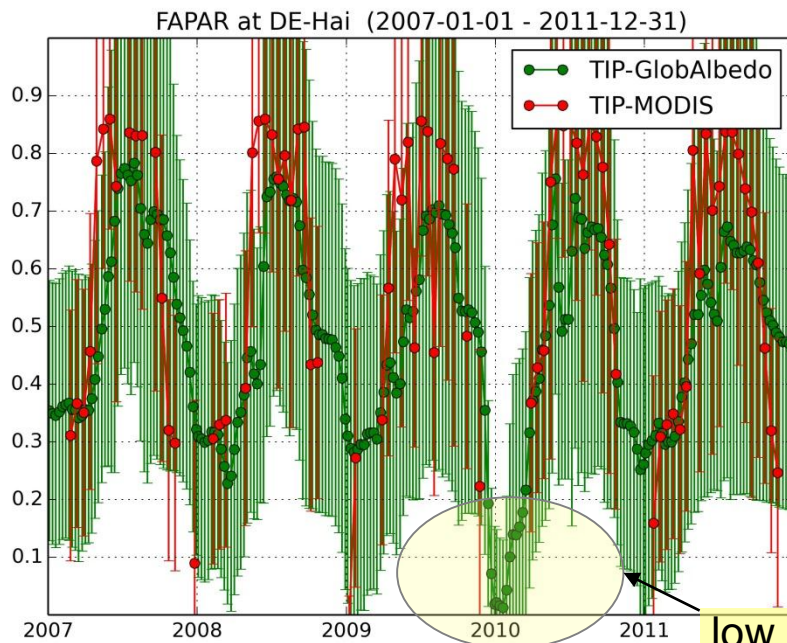


TIP-MODIS: $\bar{\mu}=0.550$ $\sigma=0.098$
TIP-GA : $\bar{\mu}=0.514$ $\sigma=0.045$

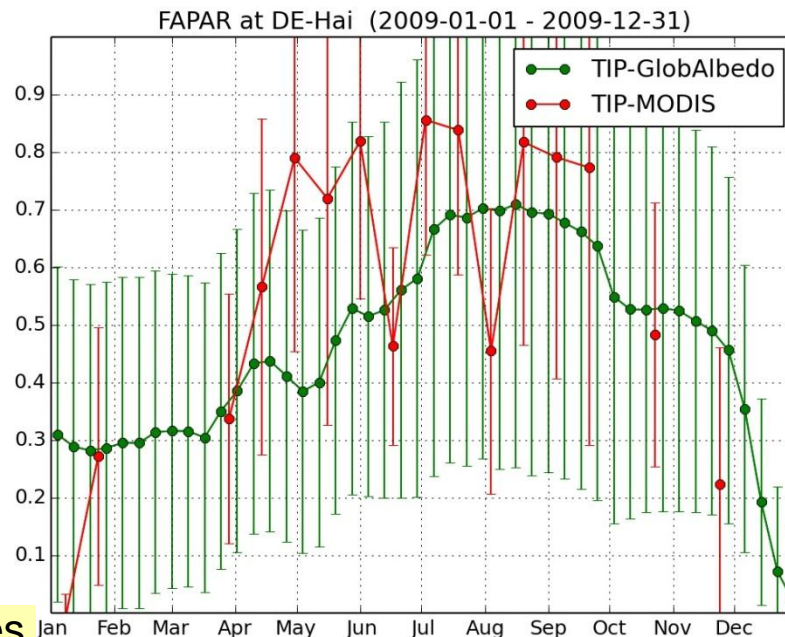


the atypical jumps of FAPAR seen in TIP-MODIS do not appear in TIP-GlobAlbedo

TIP-FAPAR@Hainich (DE)



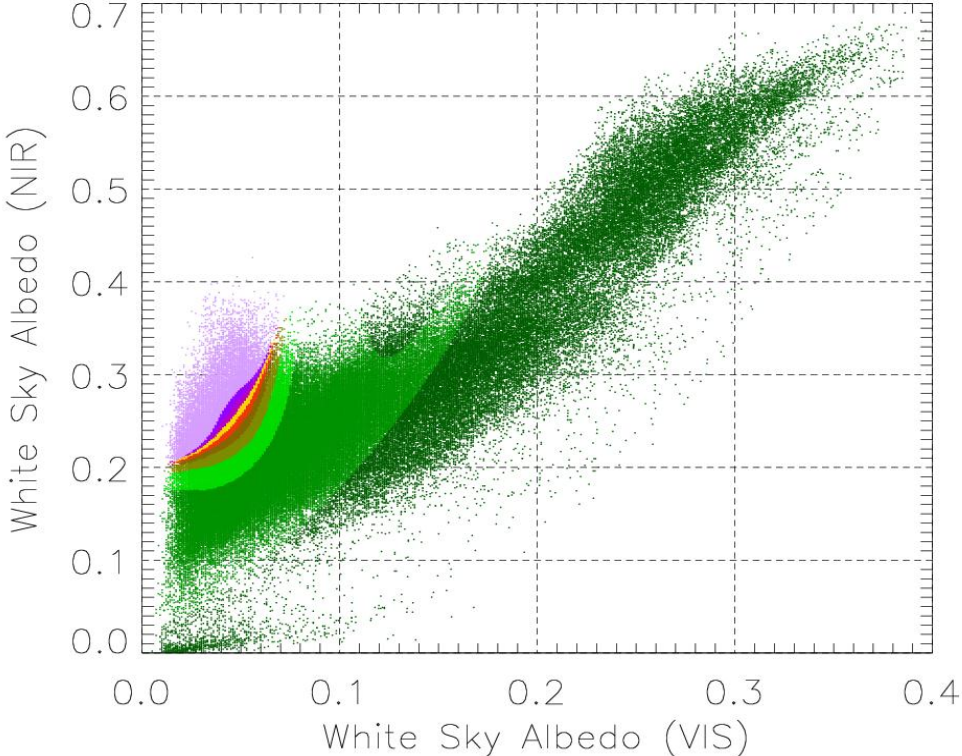
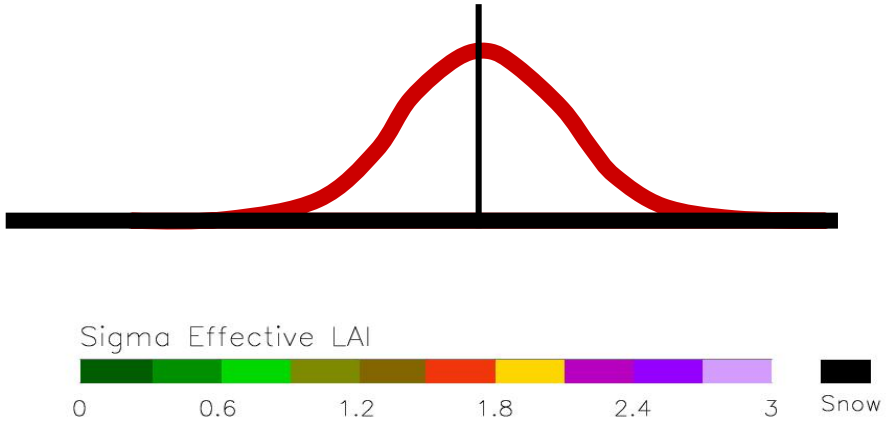
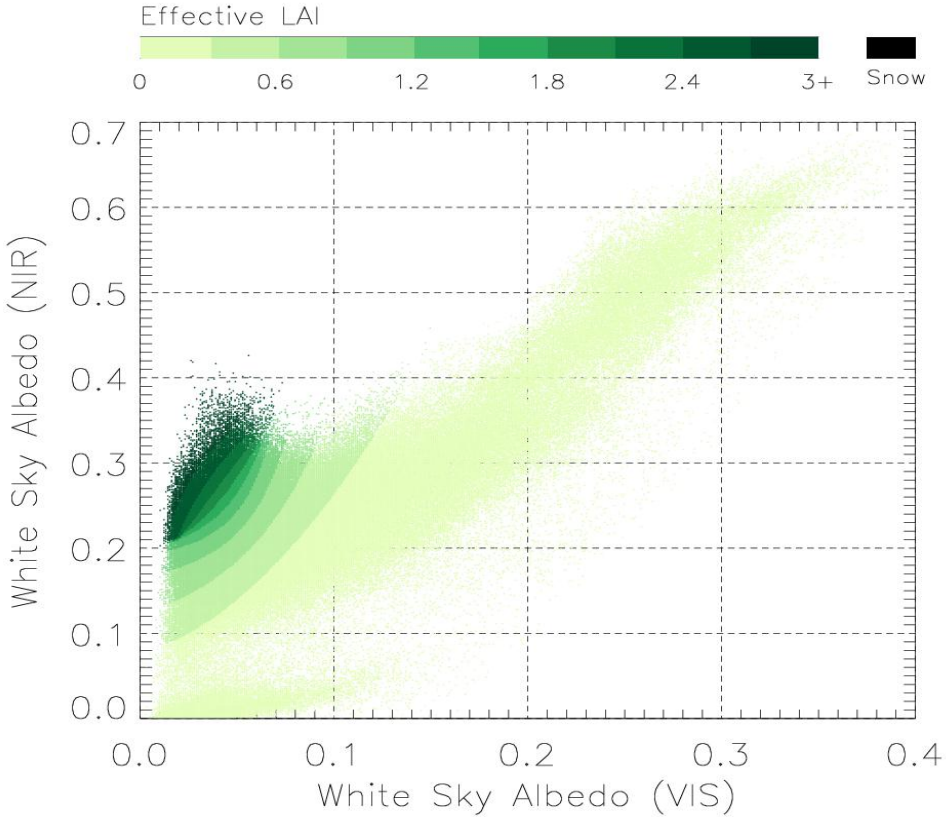
low FAPAR values
(to be analyzed)



TIP-MODIS: $\bar{\mu}=0.602$ $\sigma=0.237$
TIP-GA : $\bar{\mu}=0.479$ $\sigma=0.173$

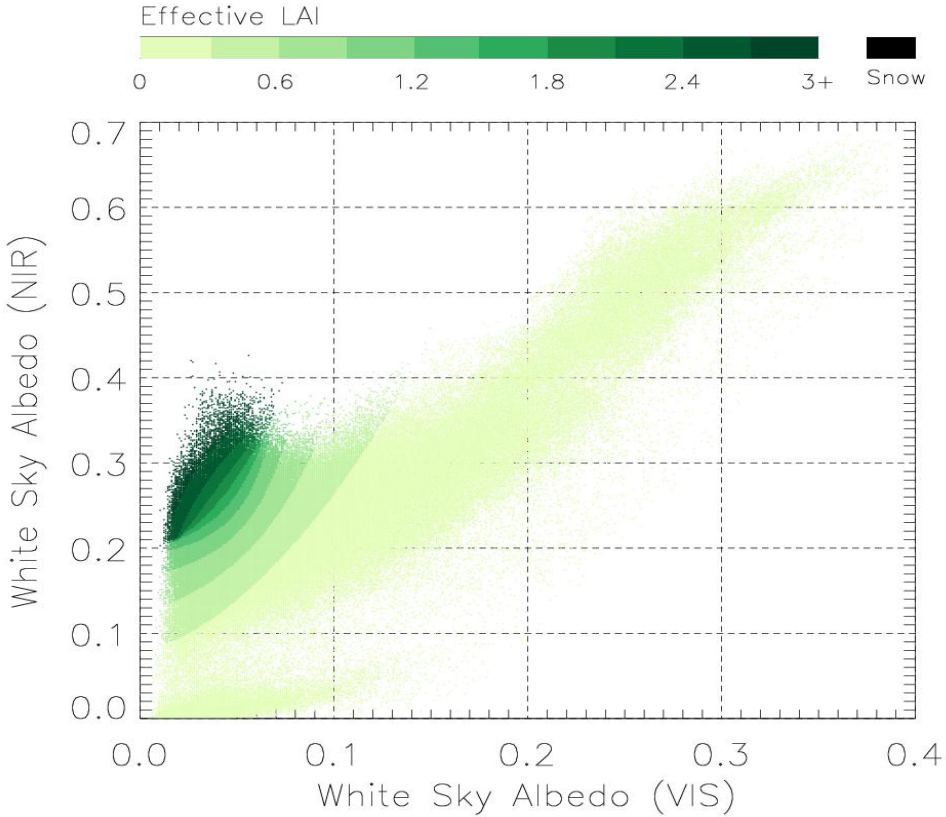
- FAPAR derived from GlobAlbedo shows significantly less variability than from MODIS
- only very few missing input albedos (probably attributed to using prior BRDF information)
- in general slightly increased uncertainty

PDFs of retrieved effective LAI

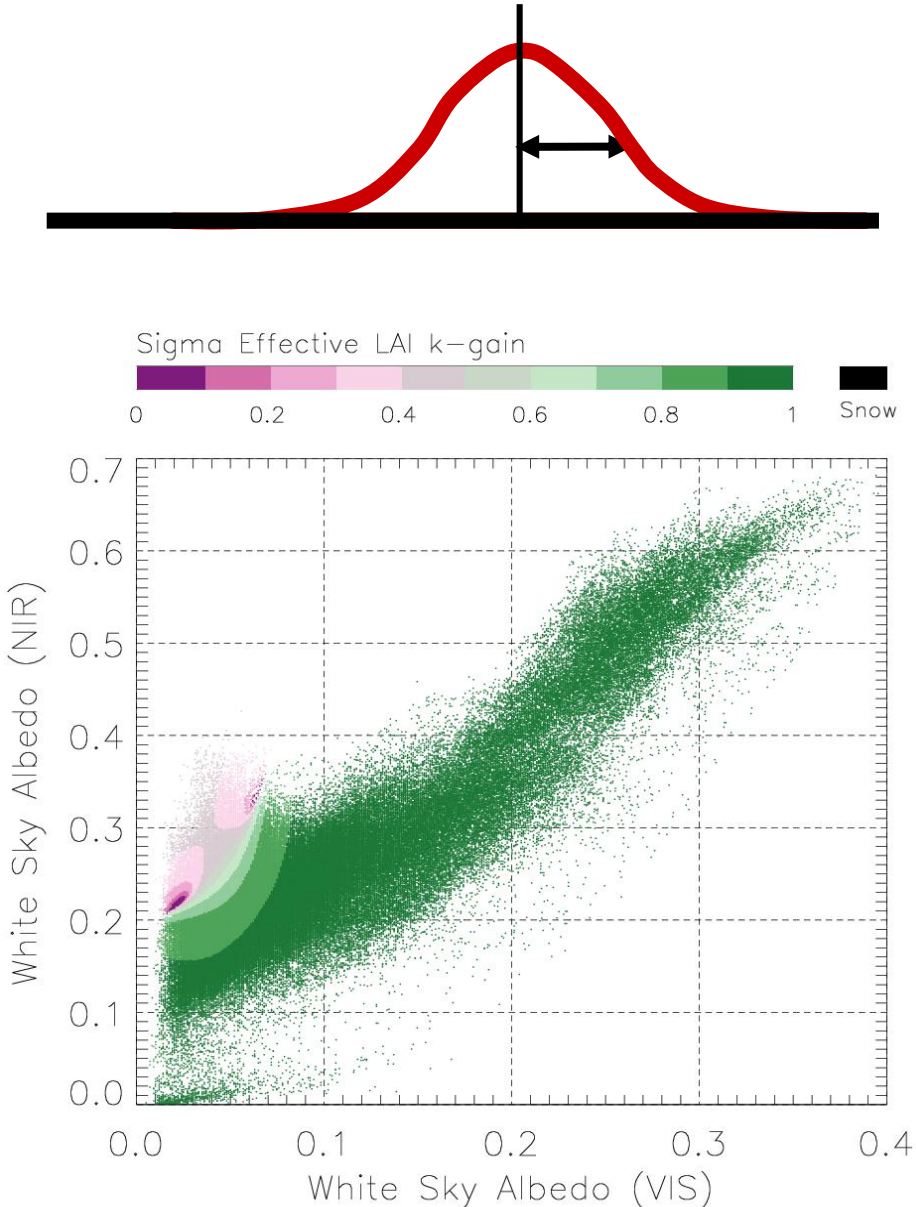


assuming 5% uncertainty in albedo

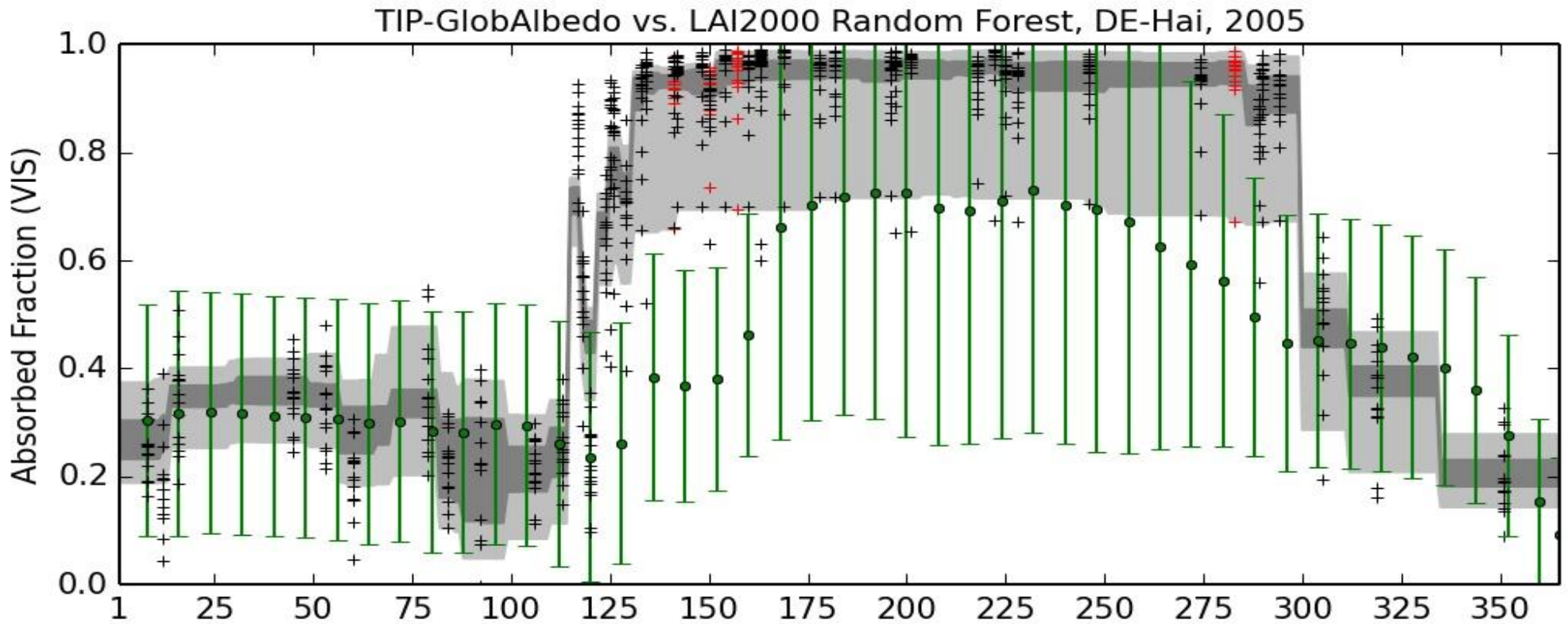
PDFs of retrieved effective LAI



assuming 5% uncertainty in albedo



Globalbedo vs in situ @ Hainich



Globalbedo vs in situ @ Hainich

