

# Impact of a stochastic parameterization of cumulus convection, using cellular automata, in Harmon-EPS

Lisa Bengtsson, Heiner Körnich

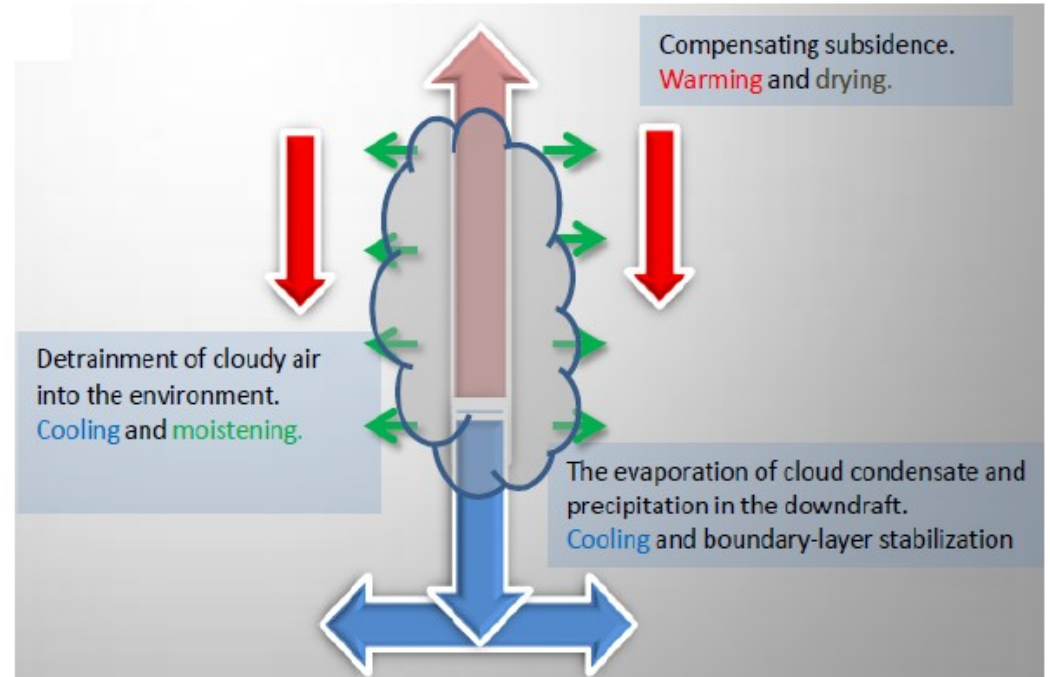
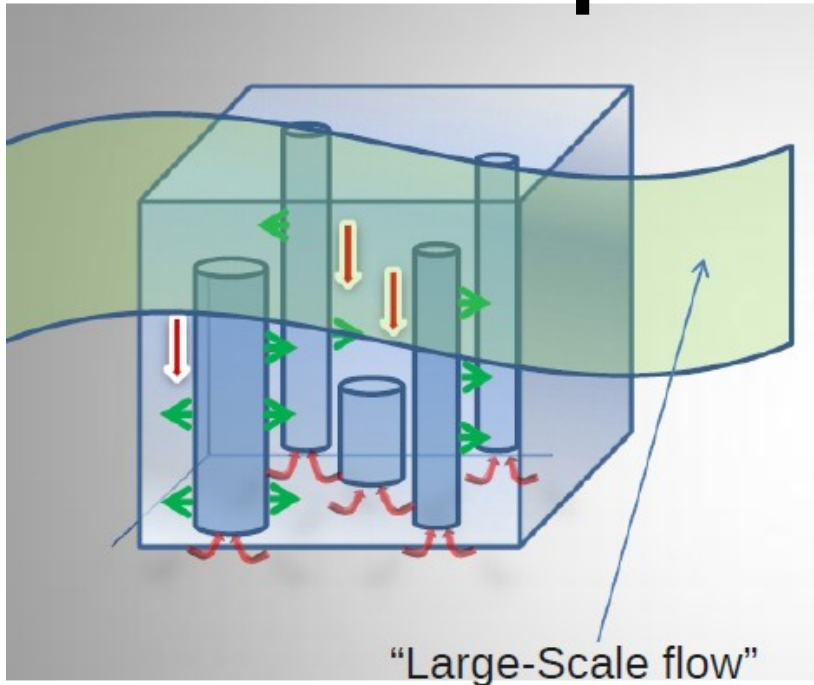
*Acknowledgements: Jean-Francois Geleyn, Luc Gerard, Peter Bechtold, Inger-Lise Frogner, Martin Steinheimer, and Filip Vana*



# Outline of presentation

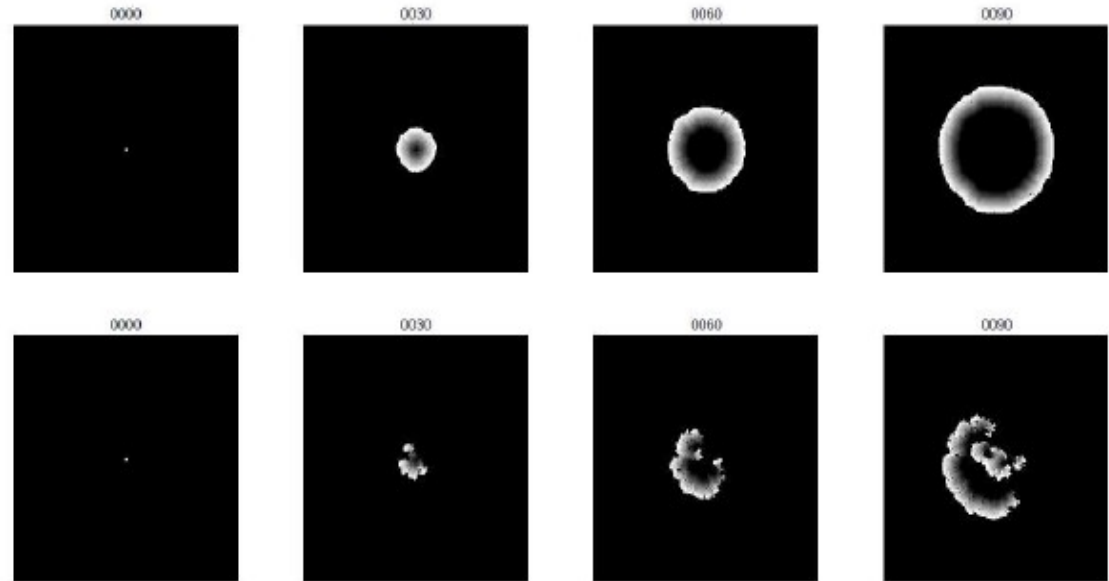
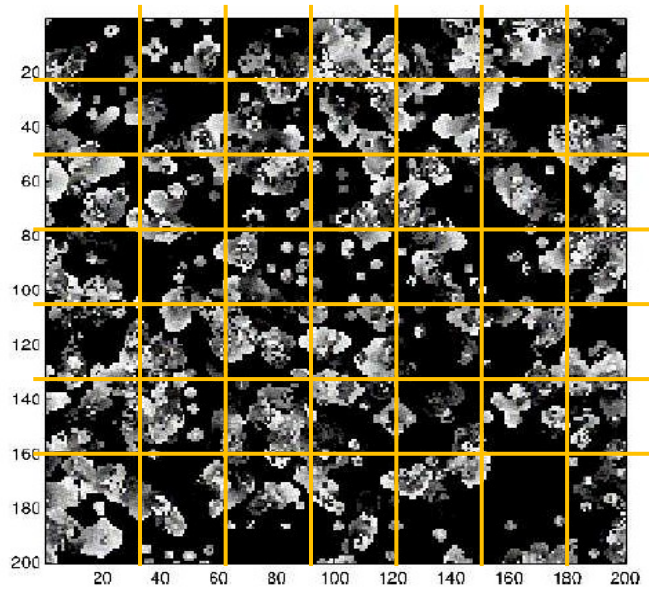
- **The cellular automata coupled to the 3MT deep convection scheme**
- **The meso-scale ensemble prediction system, Harmon-EPS**
- **Results**
- **Where to go from here...**

# The challenge with cumulus parameterization



- Given a large enough area, ensemble effect of individual updrafts represented by one updraft.
- Quasi-equilibrium assumed at an instantaneous state, not obvious at increasing resolution.
- No horizontal transport (column physics).

# Cellular Automata



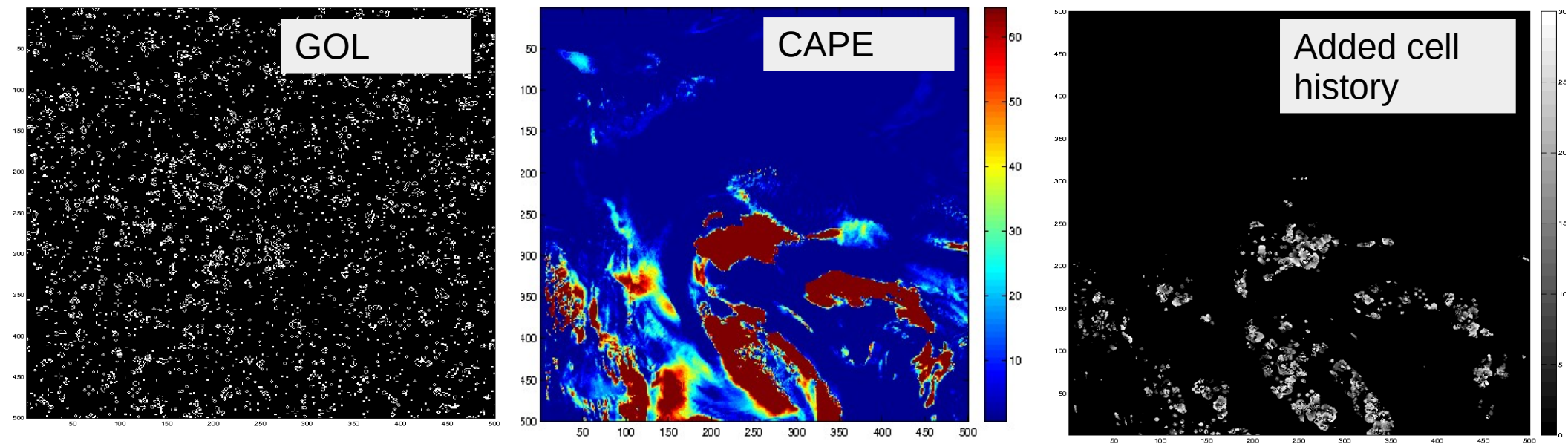
From Martin Steinheimer

It possesses many qualities interesting for deep convection parameterization.

- Horizontal communication
- Memory
- Stochasticity

# Stochastic parameterization of cumulus convection using cellular automata

- Can we use random numbers and self-organizational properties of cellular automata to mimic statistical fluctuation in cloud numbers and intensities?
- Can we allow for horizontal organization and communication between adjacent model grid-boxes in the cumulus parameterization?
- *Bengtsson, L., Steinheimer, M., Bechtold, P. and Geleyn, J.-F. (2013), A stochastic parametrization for deep convection using cellular automata. Q.J.R. Meteorol. Soc., 139: 1533–1543.*



# The deep convection closure

Updraft mass-flux: 
$$M_u = -\sigma_u \frac{\omega_u^*}{g}$$

Updraft vertical velocity: 
$$\frac{\partial \omega_u^*}{\partial t} = B + E\omega_u^{*2} - A \frac{\partial \omega_u^{*2}}{\partial p}$$

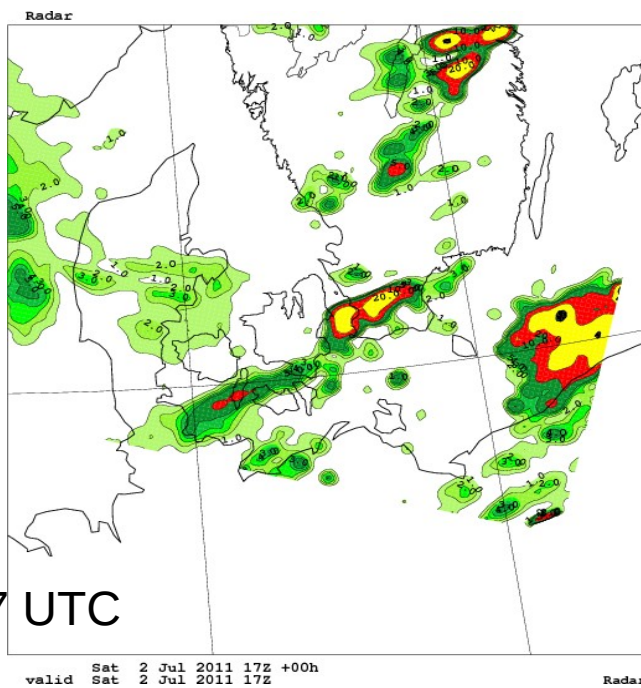
Updraft mesh-fraction:

$$\underbrace{\frac{\partial \sigma_u}{\partial t} \int (h_u - \bar{h}) \frac{dp}{g}}_{\text{Storage term}} = \underbrace{L \int \sigma_u \omega_u^* \frac{\delta q_c}{g}}_{\text{Condensation}} + \underbrace{L \int MC \frac{dp}{g}}_{\text{Moisture convergence}}$$

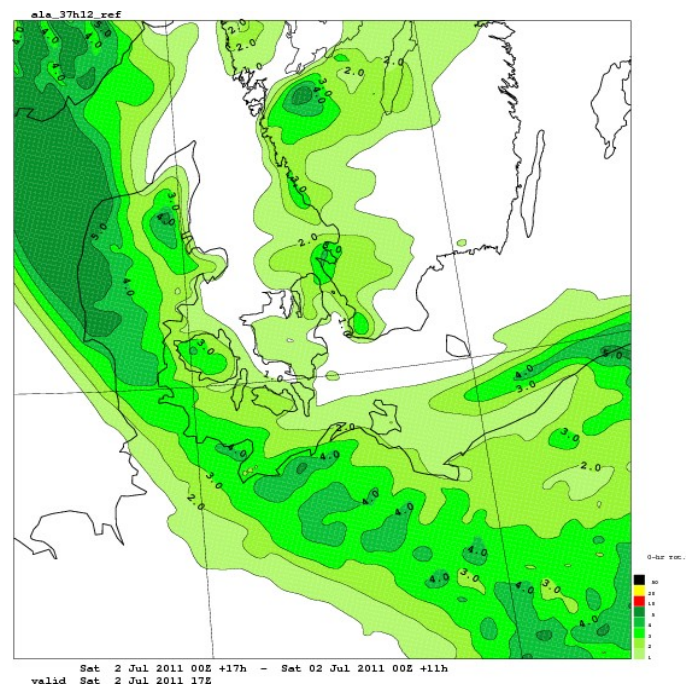
# Introducing the CA information

$$\frac{\partial \sigma_u}{\partial t} \int (h_u - \bar{h}) \frac{dp}{g} = L \int \sigma_u \omega_u^* \frac{\delta q_c}{g} + L \int MC \frac{dp}{g} + \frac{\sigma_{CA} - \sigma_u}{\tau} \left( \int (h_u - \bar{h}) \frac{dp}{g} \right)$$

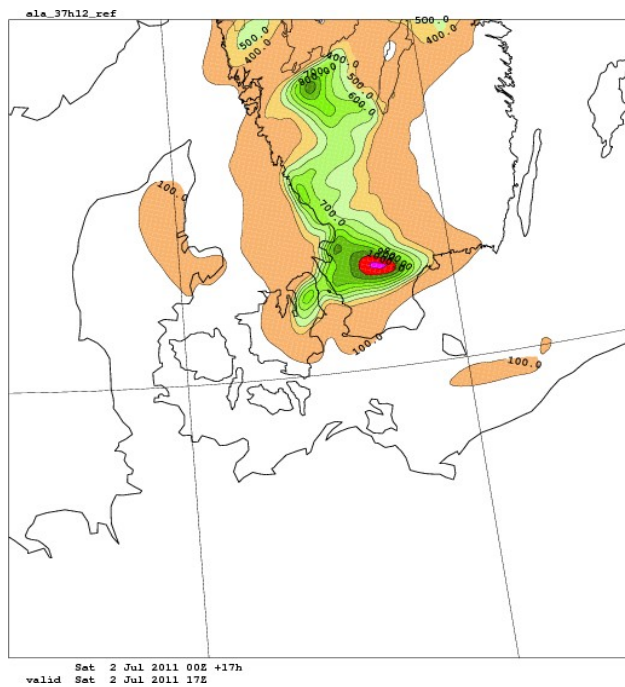
Radar  
6h acc.  
Precip.  
(mm)



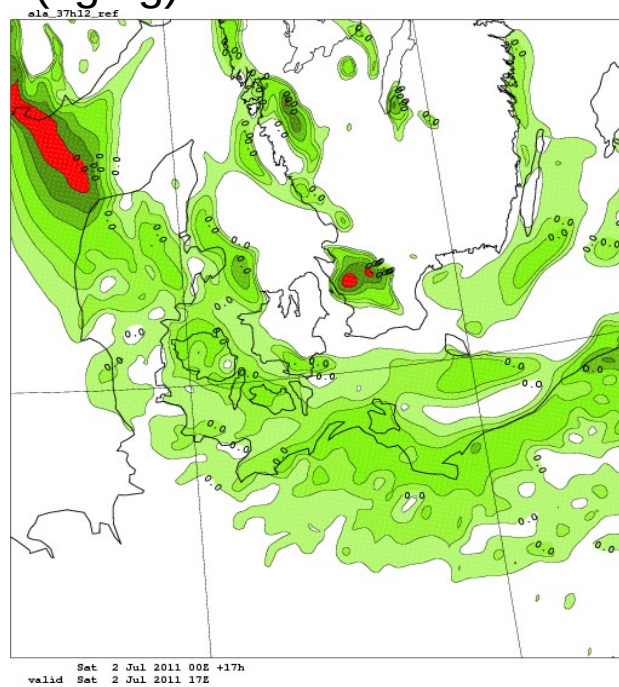
Reference.  
6h acc.  
Precip.  
(mm)



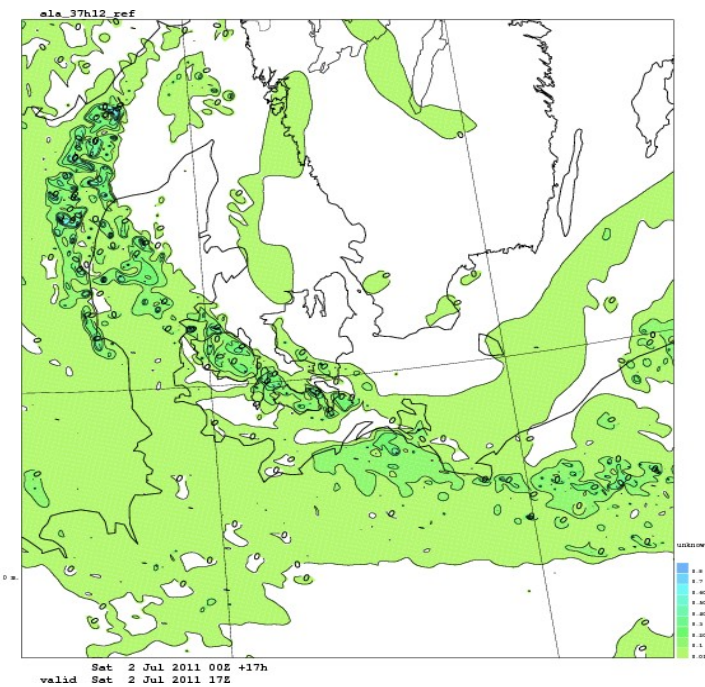
CAPE (J/kg)



Moisture convergence  
(kg/kg)

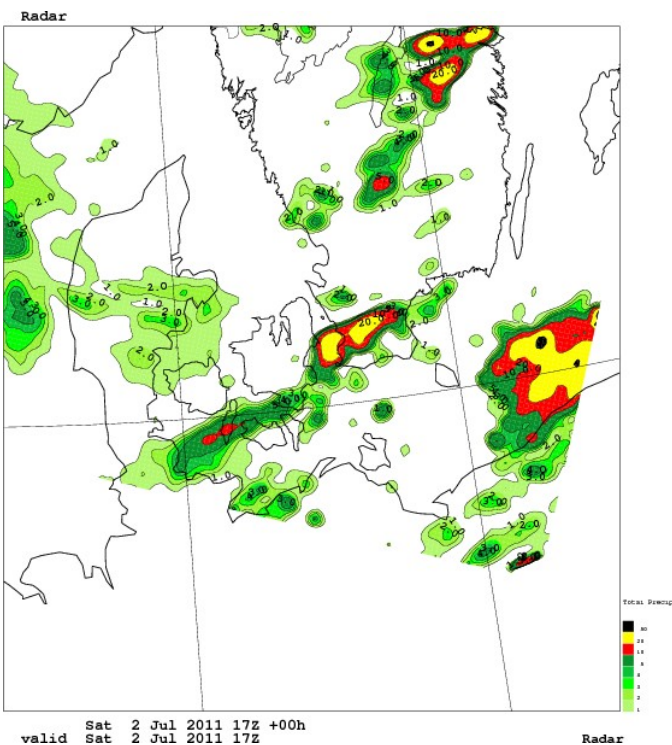


Updraft mesh-fraction



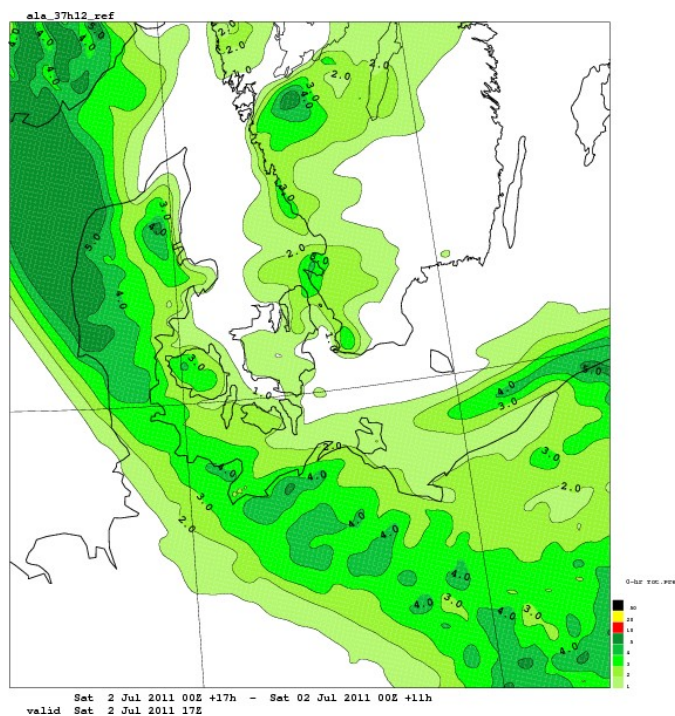


# 6h acc. Precip (mm).

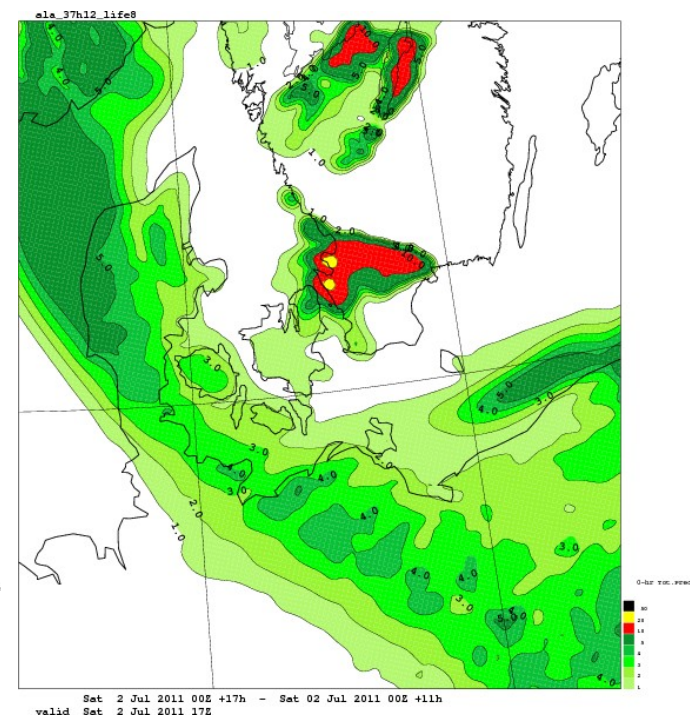


Radar

20110702 + 17 UTC



Reference model

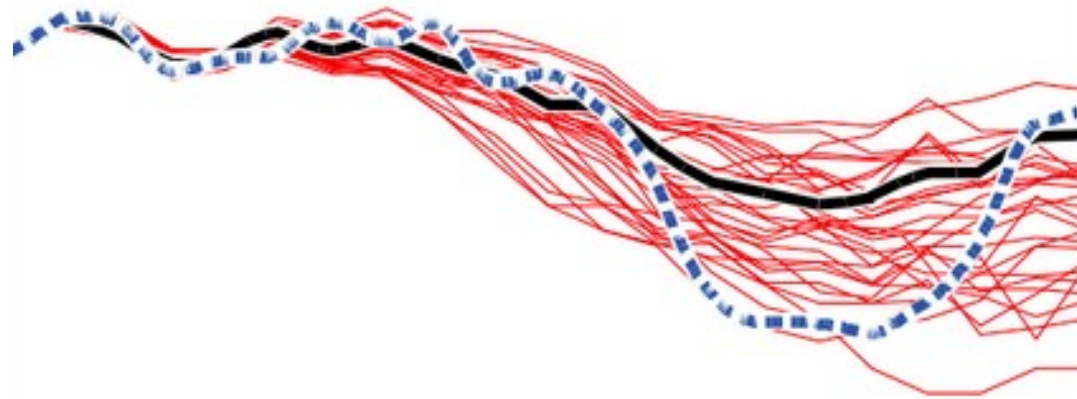


With CA implementation

Deterministic run, 5 km horizontal resolution

# The question:

Can the proposed scheme, which was implemented *with the aim to improve the description of a physical process*, have an impact on the performance of the *uncertainty estimates* given by an ensemble prediction system?



# Harmon-EPS

- An Ensemble Prediction System framework based on the HARMONIE model system.
- Collaboration on a framework for national weather centres in the HIRLAM-ALADIN consortia to set up a convective scale ensemble prediction system.
- The collaboration entails both research on initial/model error representation for short range ensemble prediction, as well as work on calibration, verification, and setting up a script system/scheduler to run large ensemble experiments.



# SRNWP Consortia in Europe



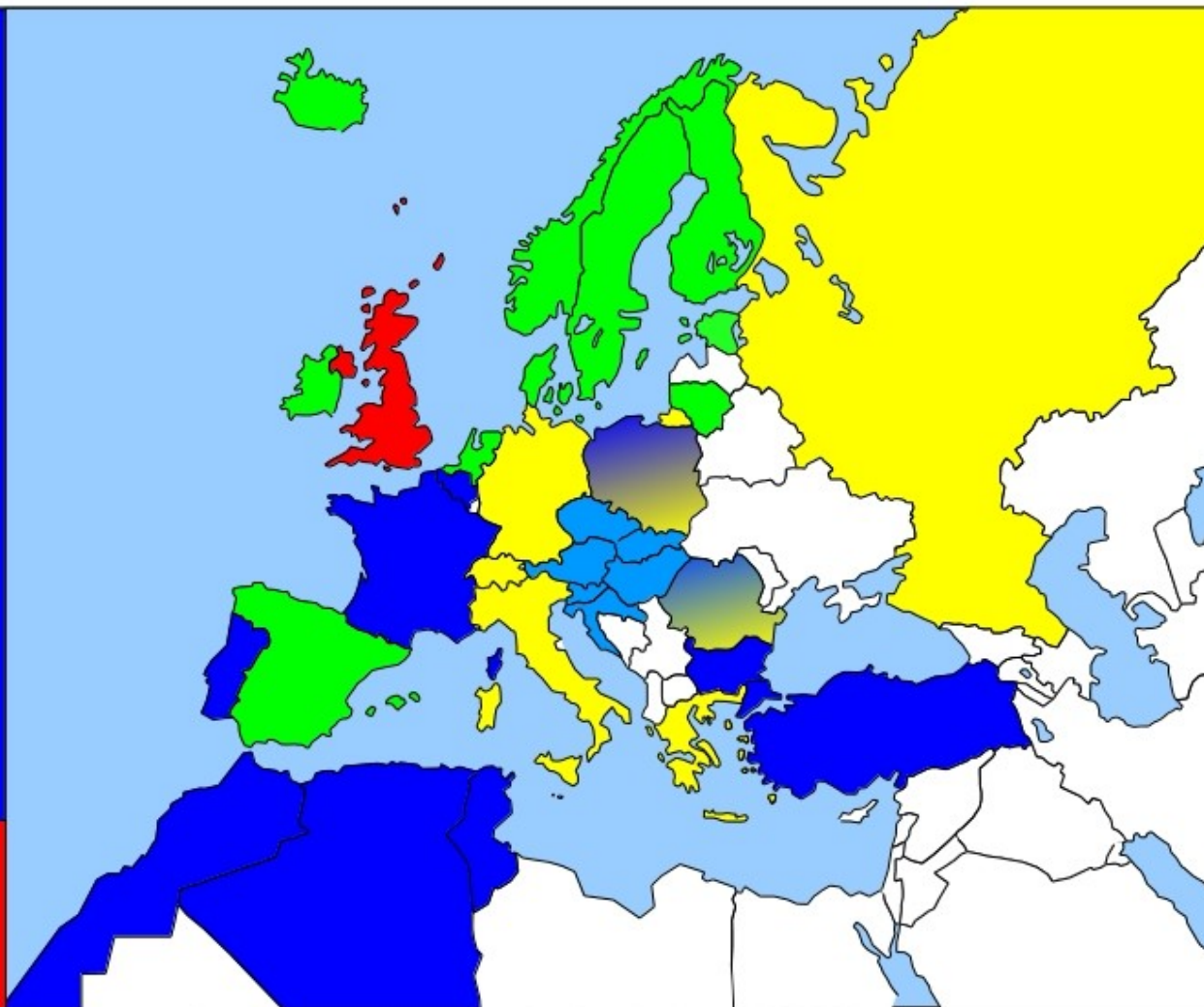
## ALADIN

Algeria  
Belgium  
Bulgaria  
France  
Morocco  
Poland  
Portugal  
Tunisia  
Turkey

Austria  
Croatia  
Czech Rep.  
Hungary  
Romania  
Slovakia  
Slovenia



**UKMO**  
United Kingdom



## HIRLAM

Denmark  
Estonia  
Finland  
Iceland  
Ireland  
Lithuania  
Netherlands  
Norway  
Spain  
Sweden

## COSMO

Germany  
Greece  
Italy  
Poland  
Romania  
Russia  
Switzerland



# Harmon-EPS

- Uses the ALADIN non-hydrostatic dynamical core, grid-distance 2.5 km.
- Physical “packages”; AROME, ALARO
- Perturbation options: Downscaled from ECMWF ENS, Scaled Lagged Average Forecast (SLAF), EDA with 3D-var tested, LETKF under development, and test with perturbation of initial state according to:

$$IN = AN\_c + k * ( FG\_c - FG\_m )$$

- Model error representations:
  - Multi-physics: AROME/ALARO
  - Multi-physics schemes (turbulence, microphysics, convection, radiation, clouds)
  - SPPT (F. Bouttier et.al, Meteo-France)
  - Parameter perturbations and MSG cloud mask (Sibbo Van der Veen, KNMI)
  - Surface perturbations from Meteo-France EPS (F. Bouttier)
  - Cellular Automata

# Experiment setup



- 18 day period June, 2012.

36 h forecasts, initiated 00 and 12 UTC.

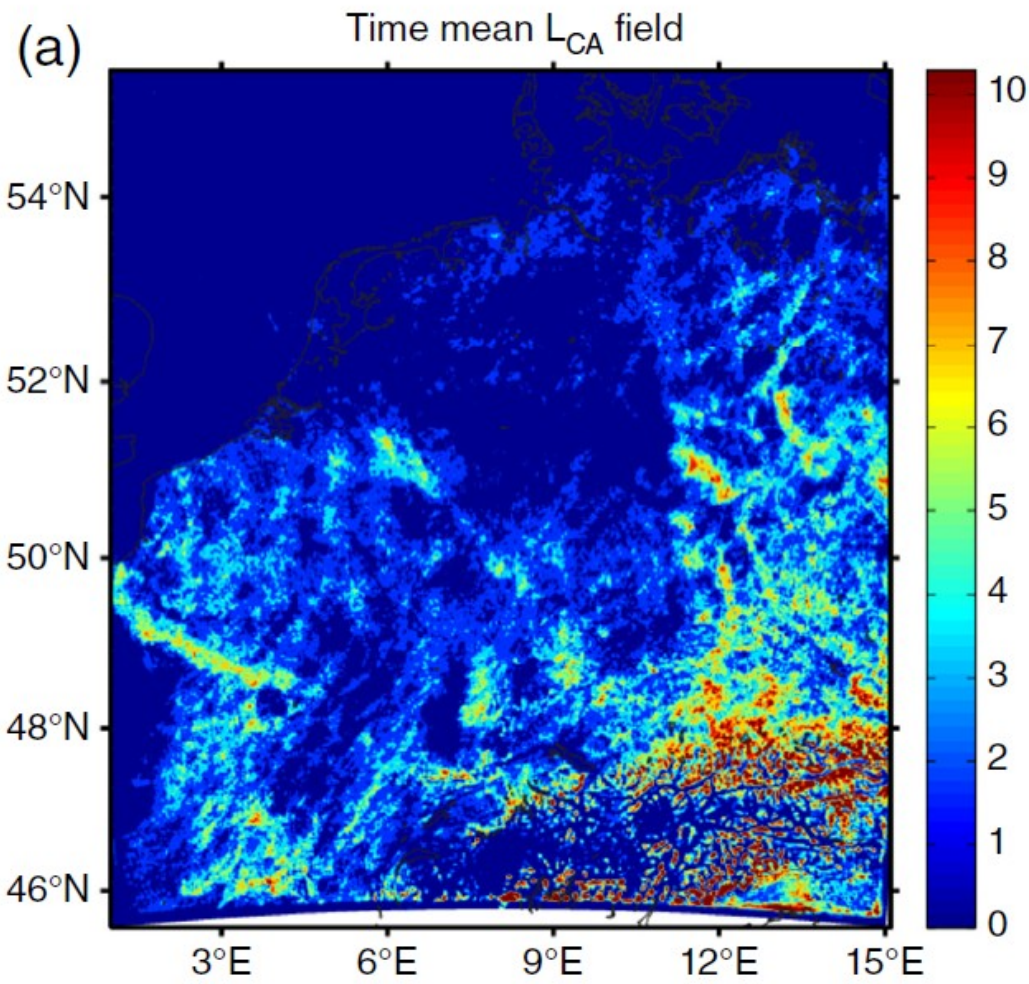
The control member is using 3D-variational data assimilation, with 6 hour cycling.

The perturbations come from the boundary and initial conditions updated at 00 UTC and 12 UTC, where each member of HarmonEPS uses a member from the ECMWF EPS with 16 km horizontal resolution. (Courtesy of Martin Leutbecher, ECMWF). All perturbed members use their own surface data assimilation.

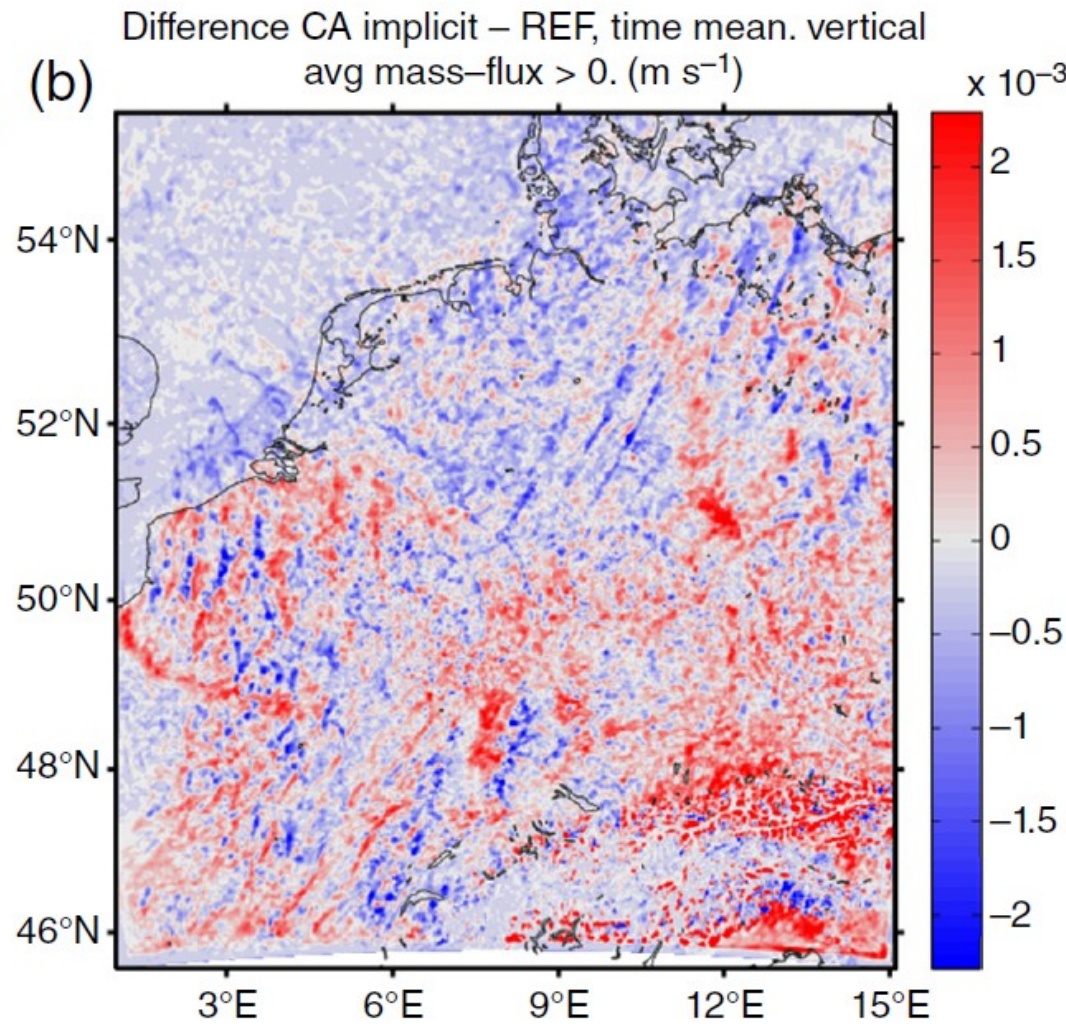
The reference experiment uses only 10+1 members with ALARO physical parameterization.

The cellular automata (CA) experiment uses the exact same initial/lbc perturbations, but each member has a different random seeding in the initialization of new CA cells.

# Hourly mean over 18 day period



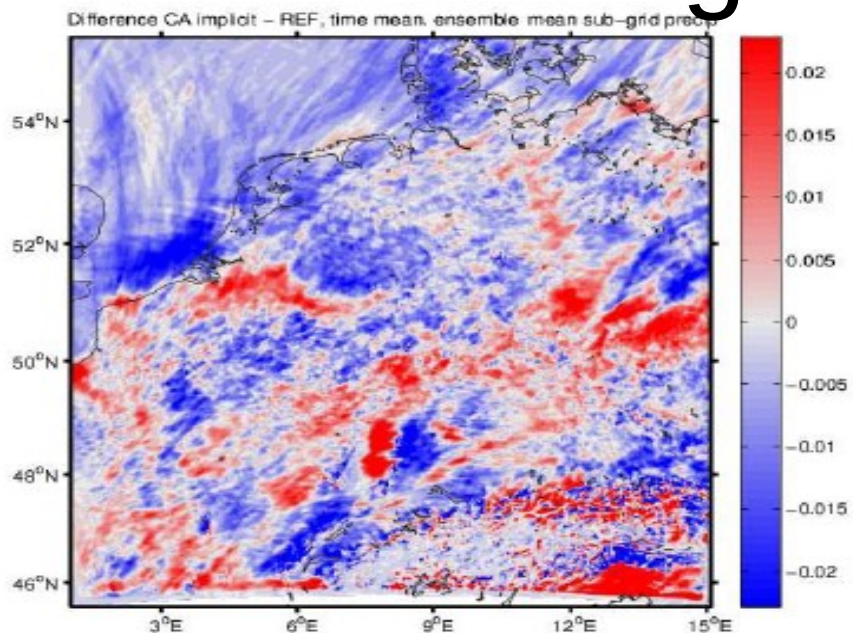
Cellular automata field “life-time”



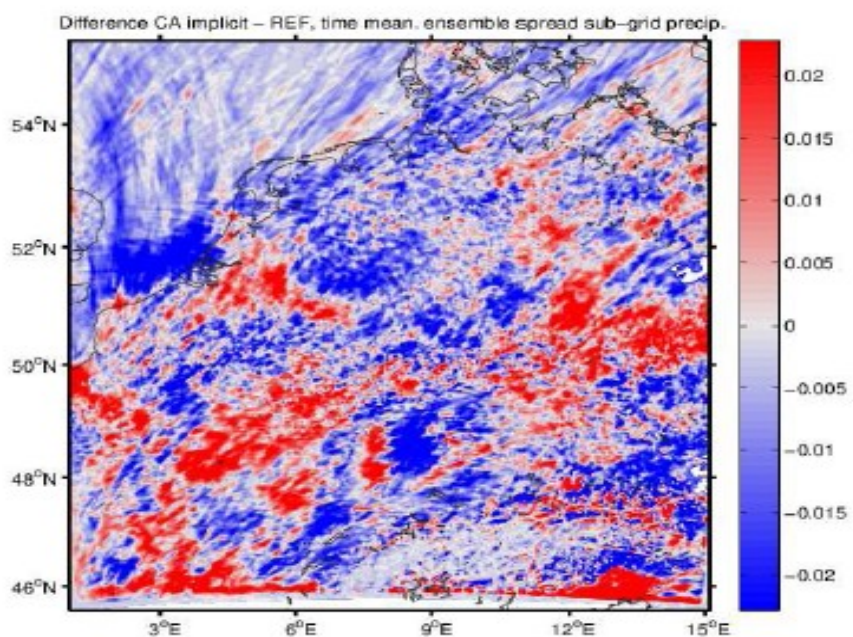
Difference: CA –  
Reference

Vertical avg. mass-flux

# 6 h sub-grid precipitation



- CA – Reference  
Ensemble Mean

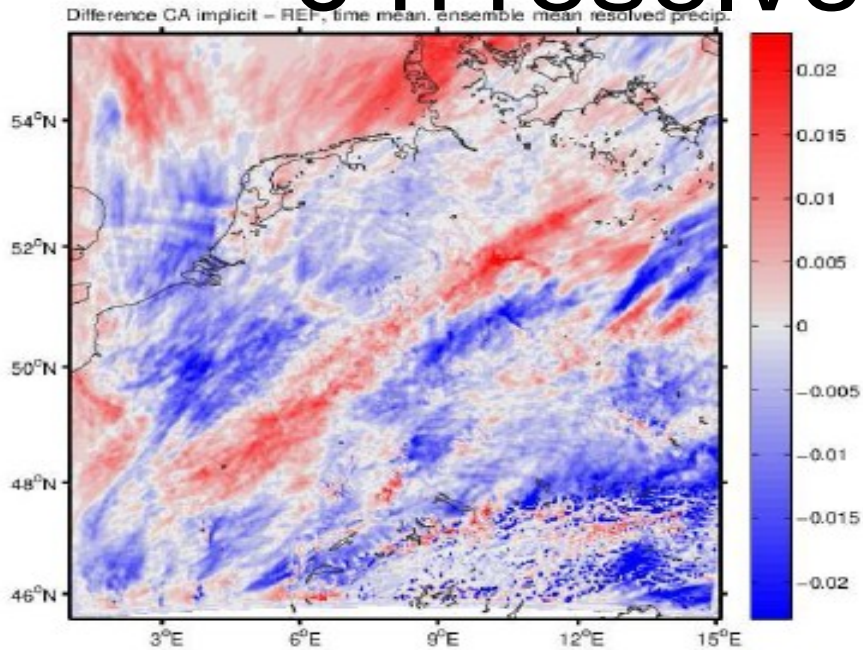


- CA – Reference  
Ensemble Spread

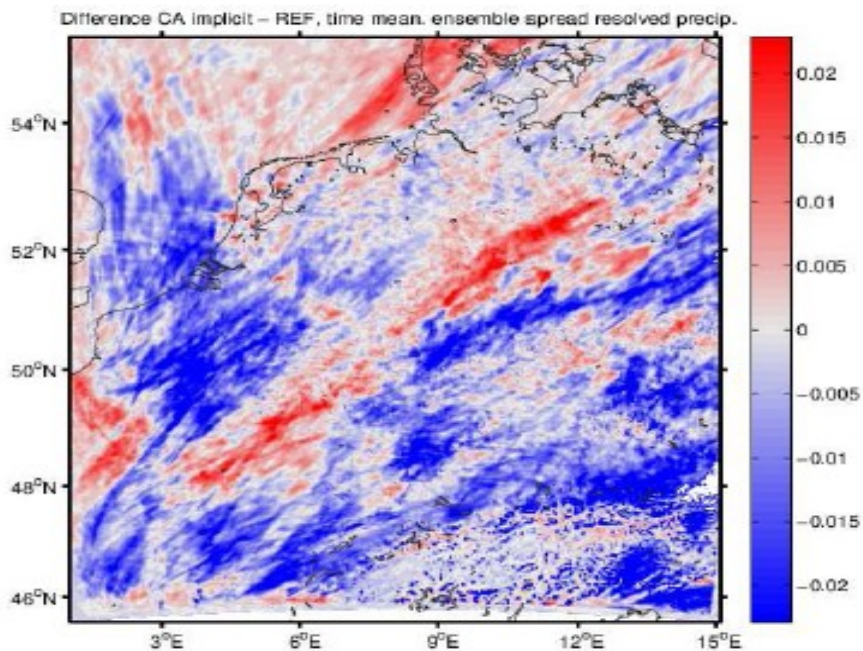


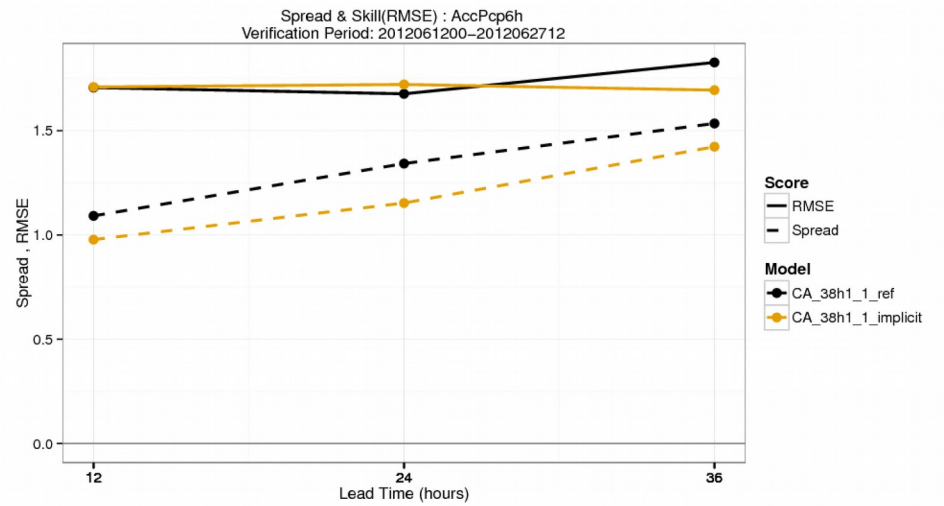
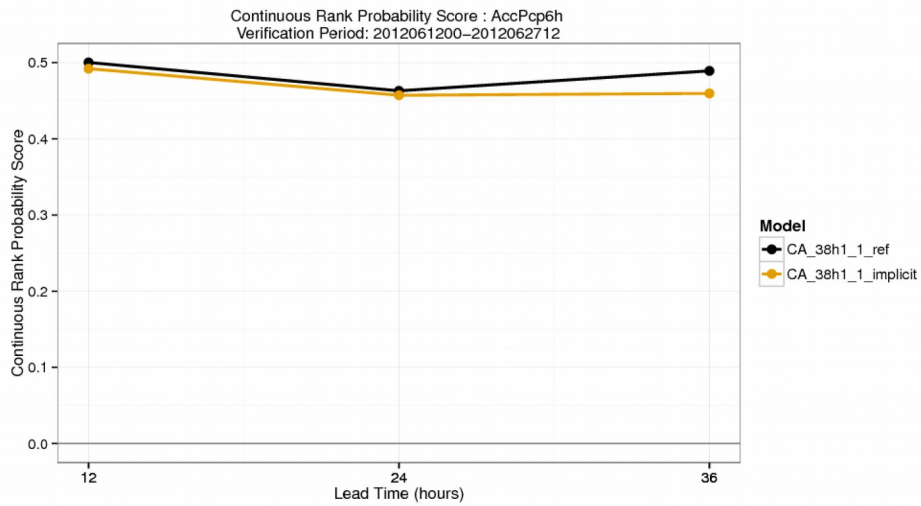
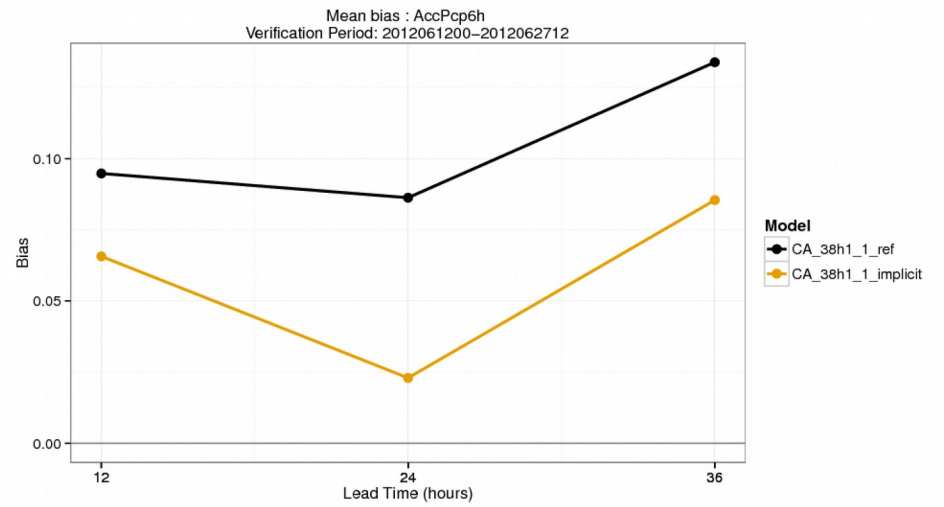
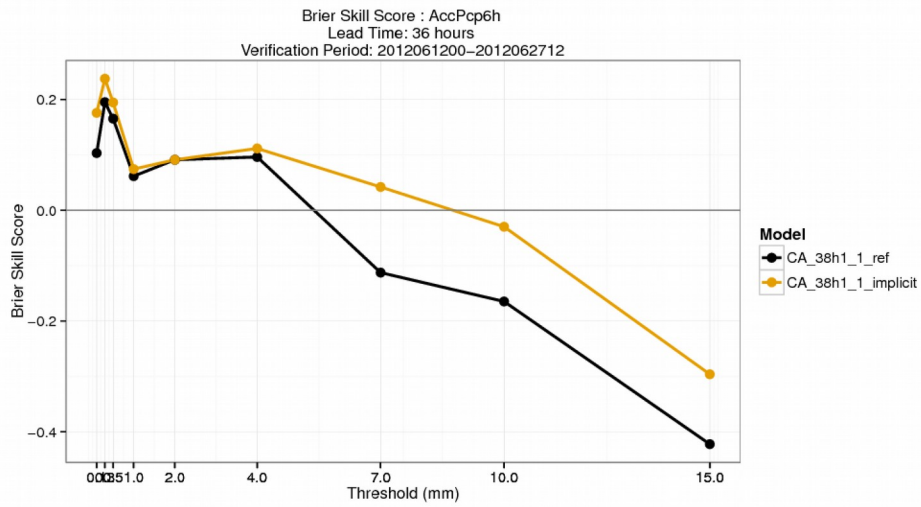
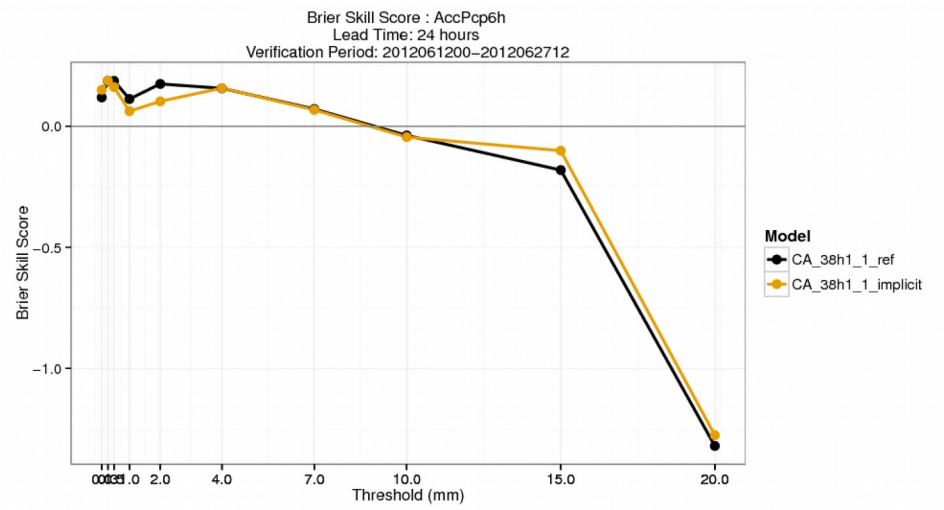
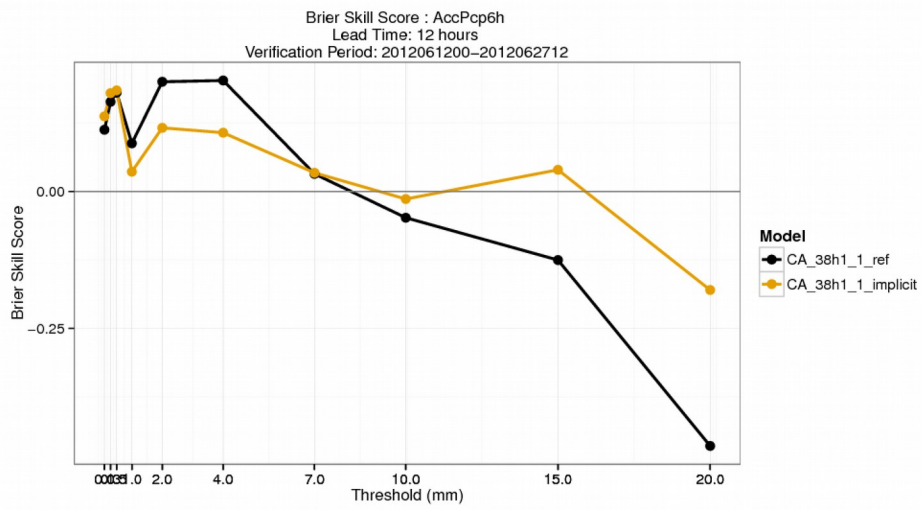
# 6 h resolved precipitation

- CA – Reference  
Ensemble Mean



- CA – Reference  
Ensemble Spread





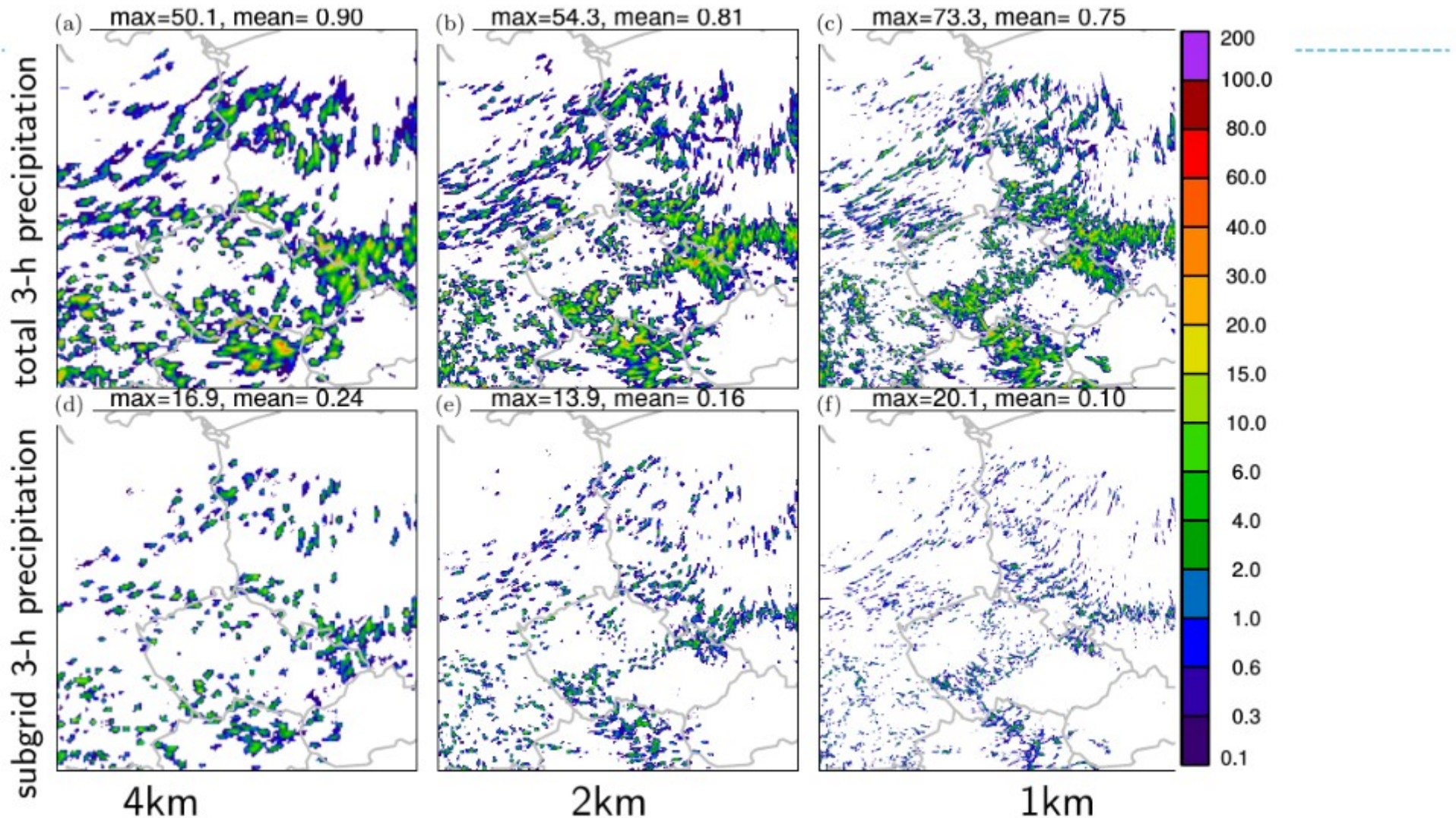
# Take home message:

- The inclusion of the stochastic scheme increases the spread of convective precipitation, but the knock-on effects on large-scale precipitation mean that the approach overall reduces the spread in total precipitation.  
-> A stochastic scheme on the sub-grid, does not automatically produce more spread.
- The scheme reduces the model bias in 6h acc. precipitation, which leads to a slightly improved ensemble forecast (more reliable), but not because of increased spread, but rather because of improved skill.

# Discussion and future outlook

- The influence of the scheme seem confined to the sub-grid scale, no large impact on ensemble spread in the resolved variables,  $T$ ,  $q$ ,  $U$ ,  $V$
- Useful to have cellular automata at 2.5 km grid-spacing?
- Some recent results suggests even at 1 km the CA can have an impact on organization of deep convection.

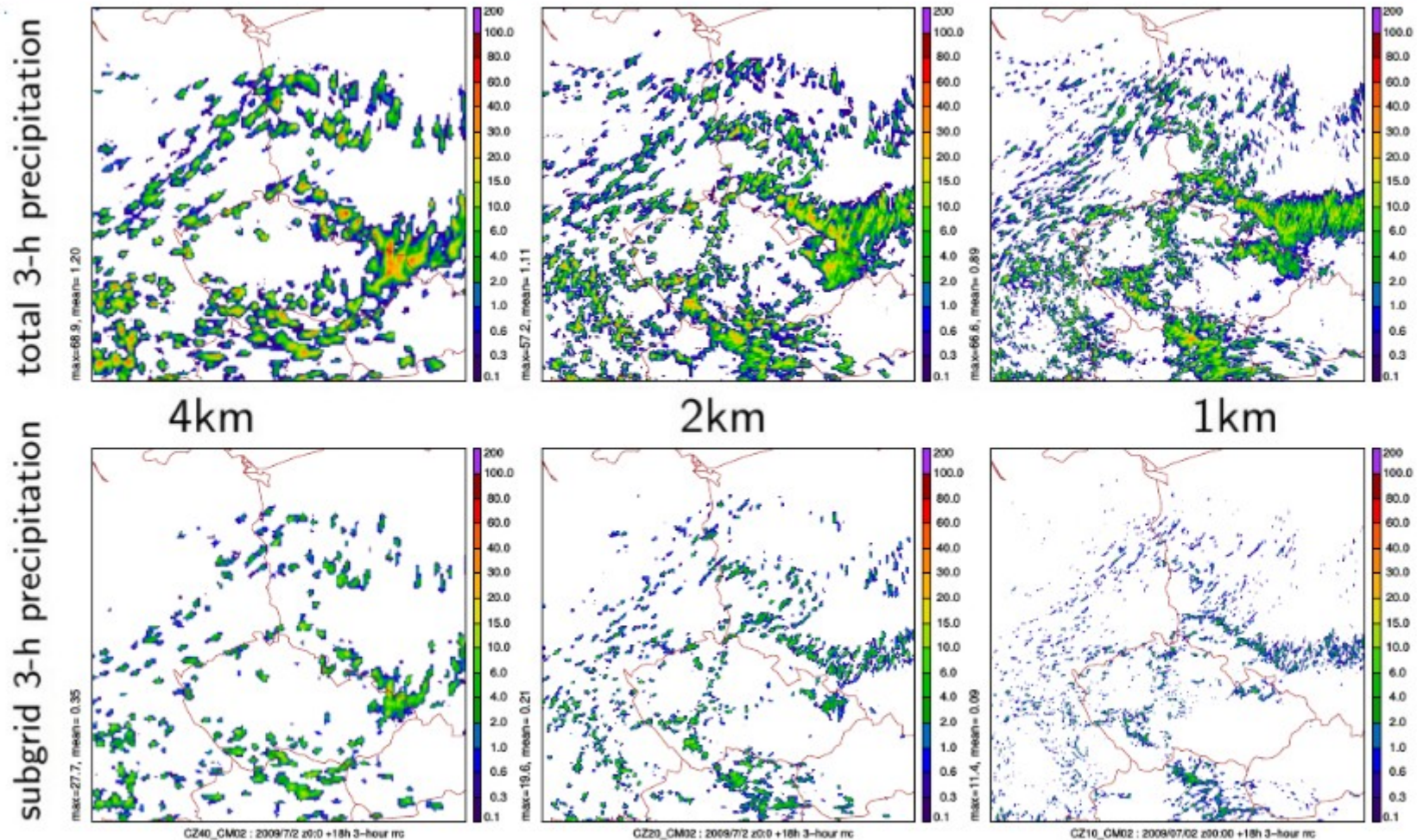
# Summer convection 2 July 2009 ( 3-hour precipitation at 18 UTC)



**Sub-grid part of precipitation is decreasing**

**Lack of meso-scale structure, precipitation areas are more “dotty”**

# Summer convection 2 July 2009 ( 3-hour precipitation at 18 UTC) Using Cellular Automaton and new horizontal momentum handling

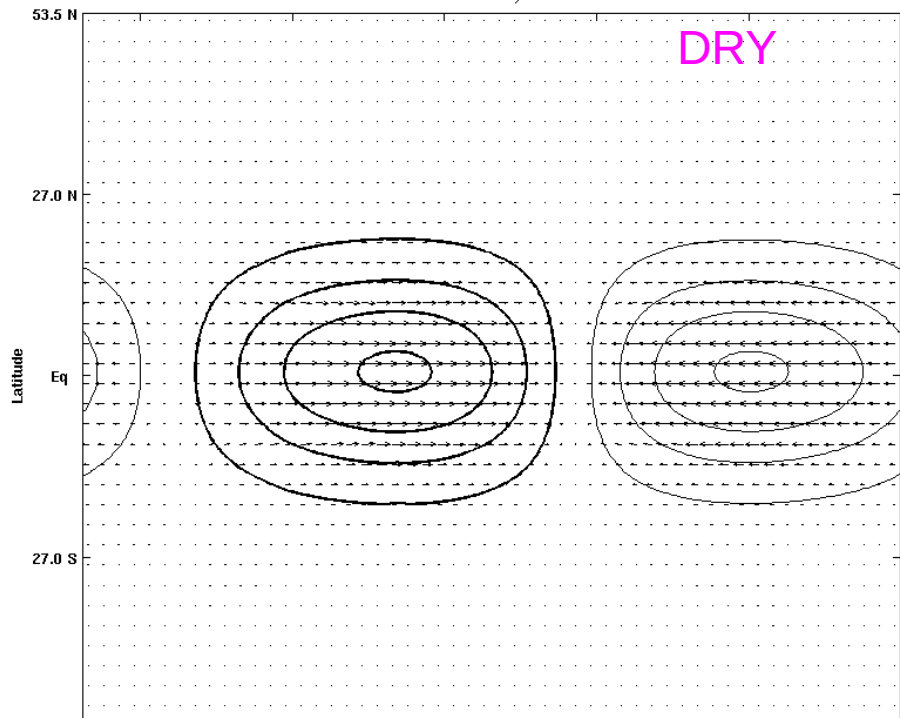


**Sub-grid part of precipitation is significantly reduced**  
**Meso-scale structure is kept**

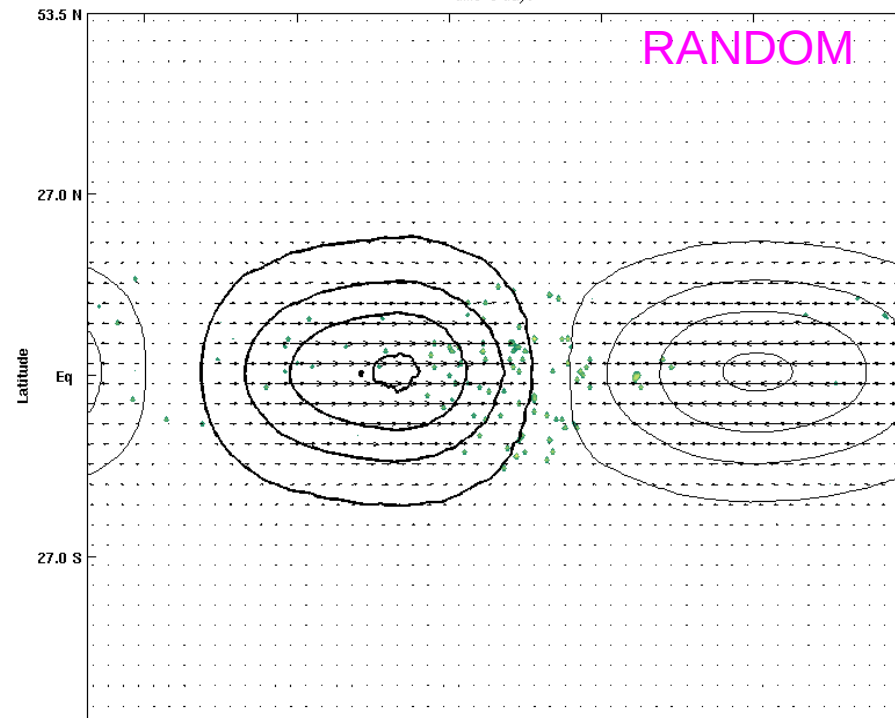
# Discussion and future outlook

- In order to really understand the interaction with the dynamics, and “transfer of uncertainty” upscale, would like to study convectively coupled equatorial waves, with/without the cellular automata scheme.
- Recently received nice software from Peter Bechtold, ECMWF to filter out equatorial wave signal, and use OLR to study for instance the Kelvin wave mode... will probably be the next step.

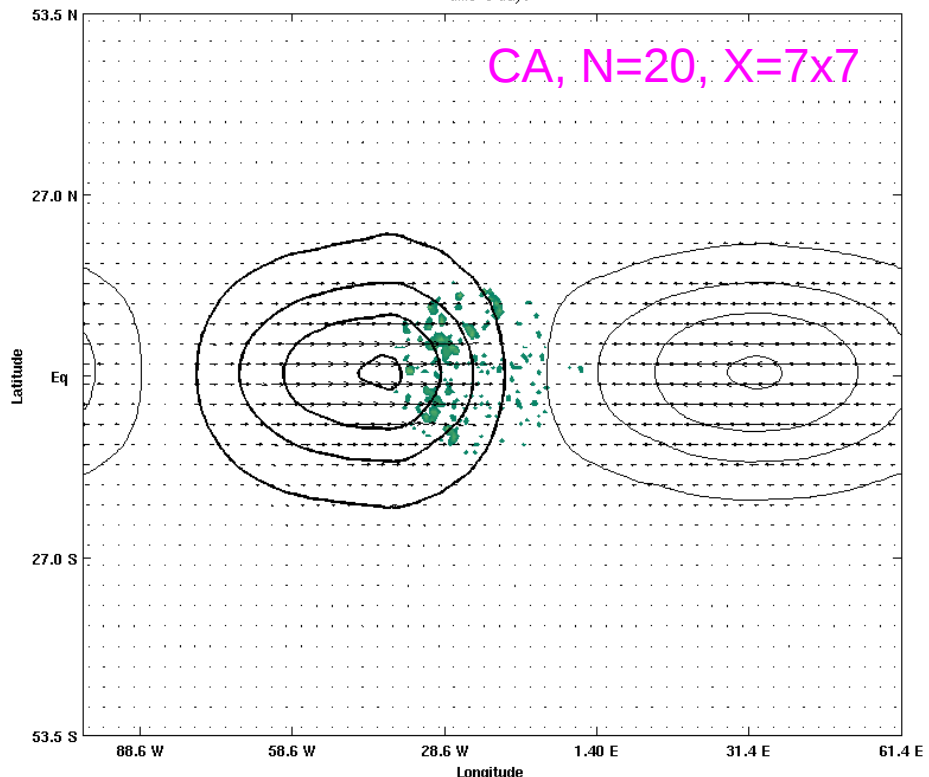
time=8 days



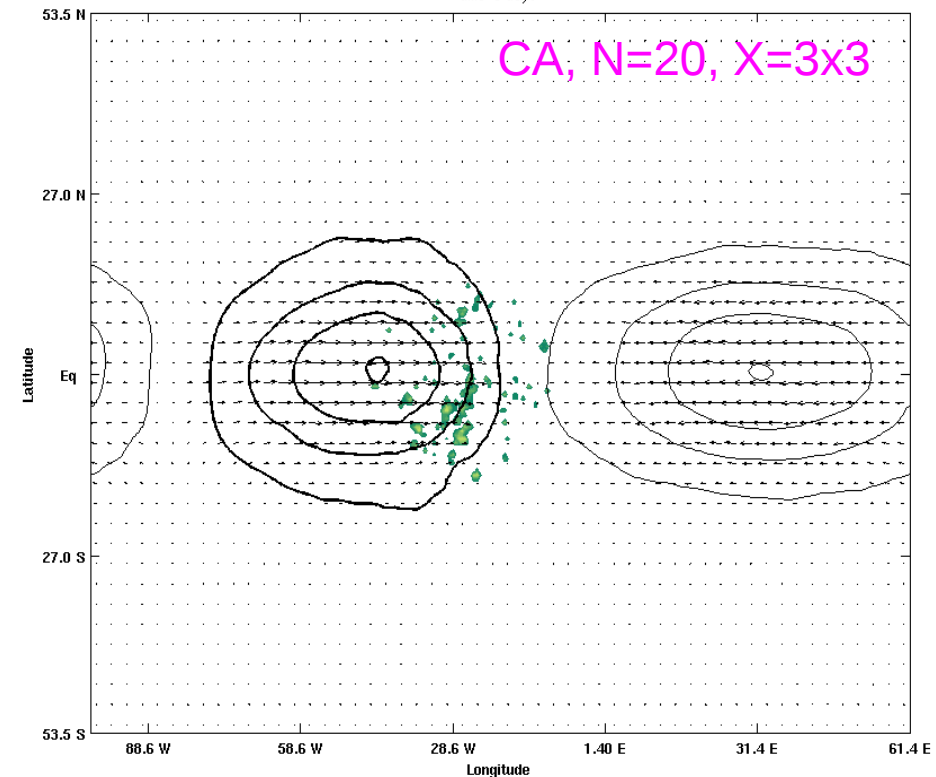
time=8 days



time=8 days



time=8 days





Thank you for your attention!